Radio Telescope Components

- Reflector(s)
- Feed horn(s)
- Low-noise amplifier
- Filter
- Downconverter
- IF Amplifier
- Spectrometer



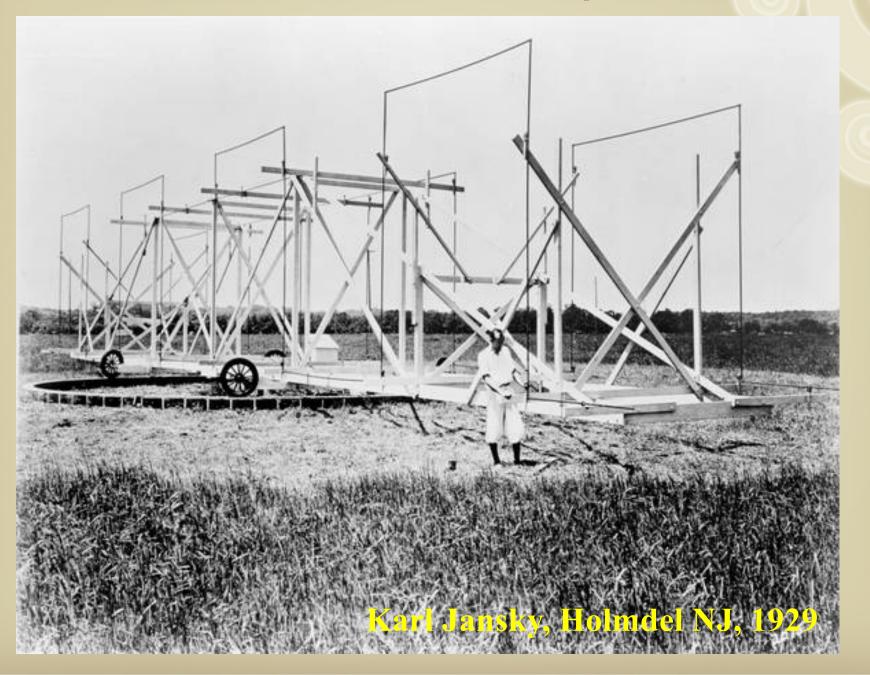
Radio Signal Detection

- Signal detected as a wave rather than a photon in contrast with optical
 - The receivers (detectors) are on order the size of incoming waves
- Wave detection preserves phase information:

 $V=V_0sin(\omega t-\phi)$

- V_0 is amplitude, ϕ is the phase
- Phase info. makes interferometry easy

Radio Telescopes



Feedhorn

Hardware that takes the signal from the antenna to the electronics

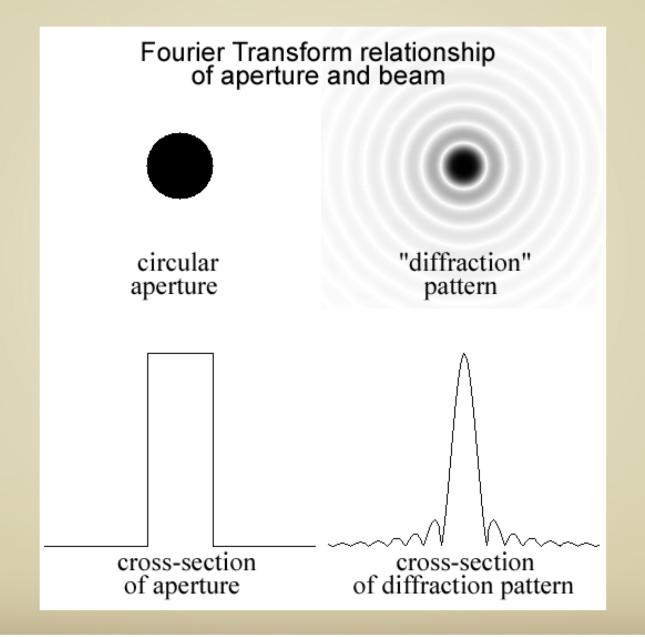
GBT receivers



Typical cm-wave feedhorn

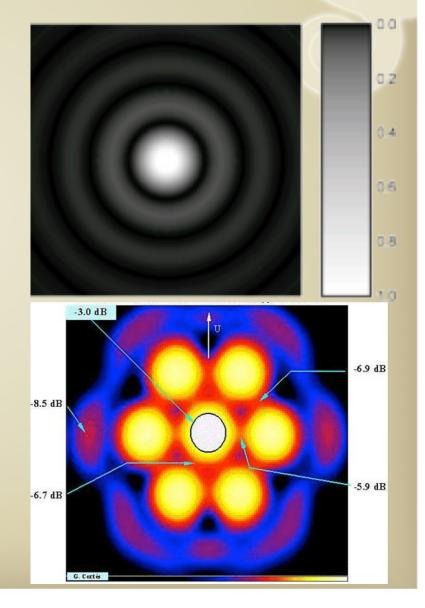


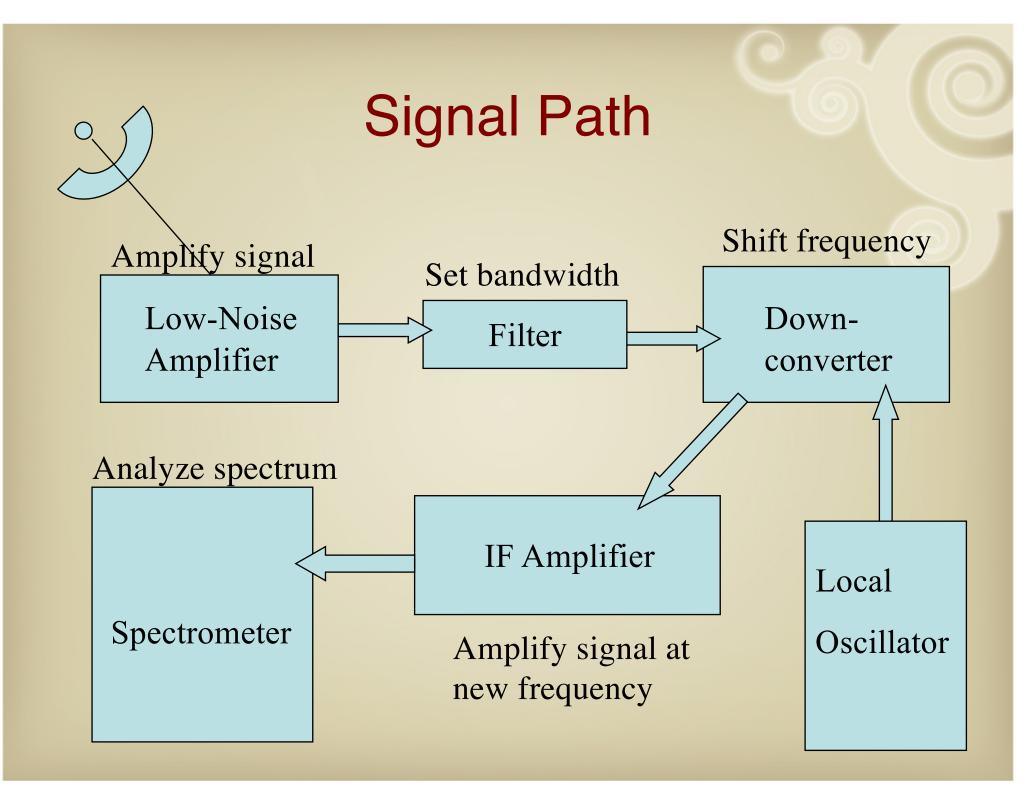
Fourier Transforms and Beam Patterns



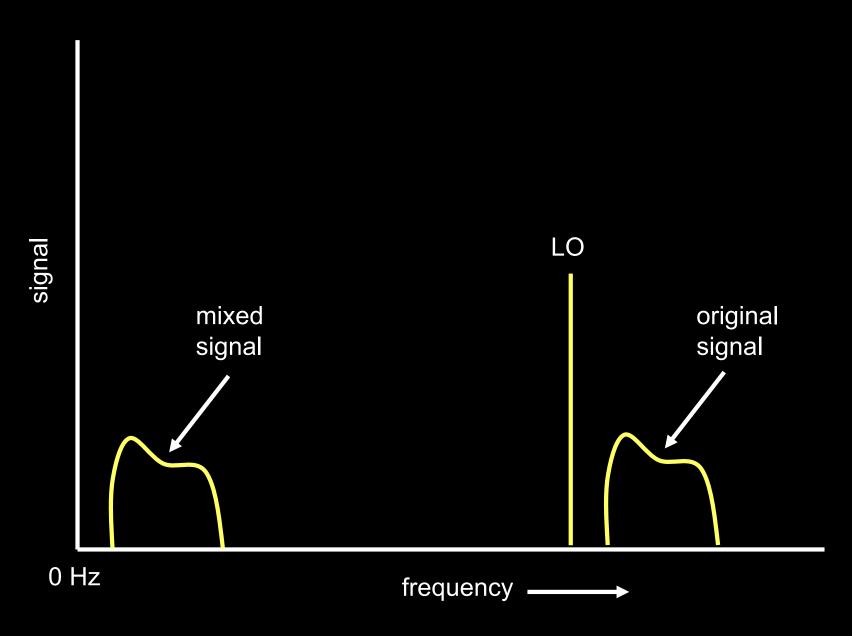
Radio Telescope Characteristics beam and sidelobes

- Diffraction pattern of telescope $\sin\theta = 1.22 \ (\lambda/D)$
- Diffraction pattern indicates sensitivity to sources on the sky
- Uniformly illuminated circular aperture: central beam & sidelobe rings
- FWHM of central beam is called the *beamwidth*
- Note that you are sensitive to sources away from beam center









The Signal Path

 Strong amplification and stable receivers needed – signal much smaller than thermal receiver noise.

- Switching techniques monitor and correct for variations in amplifier gain:
 - between sky and reference source
 - between object and "empty" sky
 - between frequency of interest and neighboring passband.
- Downconversion of signal since smaller frequencies are more convenient for the electronics

Autocorrelation Spectrometer Or how we actually make sense out of the signal

- Measures fourier transform of power spectrum
- Special-purpose hardware computes the correlation of the signal with itself:

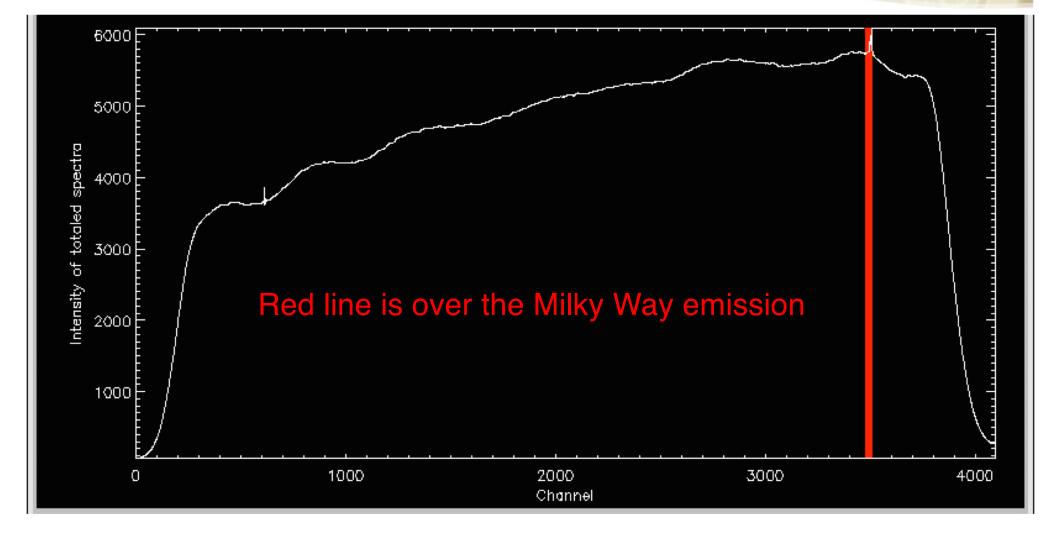
 $\mathbf{R}_{n} = \mathbf{N}^{-1} \Sigma_{1}^{N} \left[\upsilon(t_{j}) \upsilon(t_{j} + n\delta t) \right]$

where δt is *lag* and υ is signal voltage; integer n ranges from 0 to $(\delta t \ \delta f)^{-1}$ if frequency channels of width δf are required

 Power spectrum is discrete Fourier transform (FFT) of R_n

Resulting Raw Spectrum

Raw baseline shape for a 21 cm observation with Arecibo



Baselines and Observing Schemes

- Instrumental effects cause variations in the baseline that are often much larger than the signal that we want to measure
- We need to find a way to observe with and without the source but without changing the instrumental effects
- We usually accomplish the above with either beam (position) switching or frequency switching

Observing Techniques: HI 21 cm Observing in Action

Position switching:

ON: telescope tracks the position of a source for a length of time

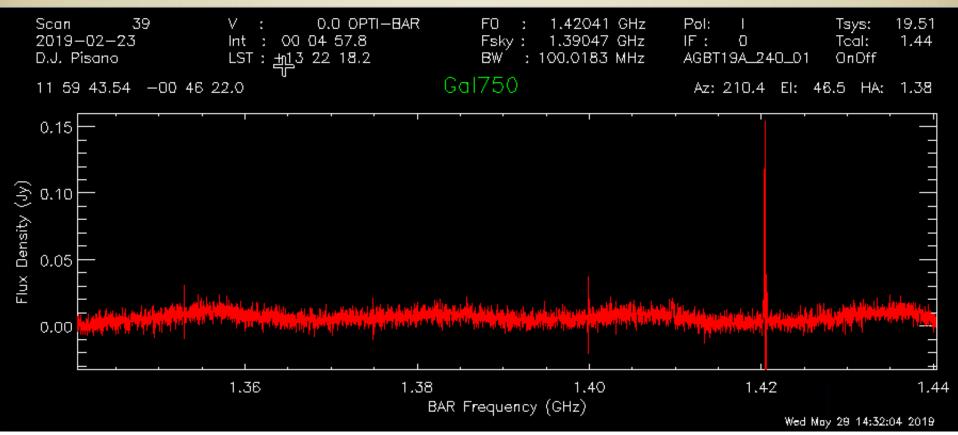
OFF: the telescope then returns to the original position on the sky and tracks the same telescope orientation over the same amount of time

Baseline shape is removed using the off spectrum

 Because the telescope tracks the same position without a source, the systematics of the telescope should be the same

Spectrum Properties

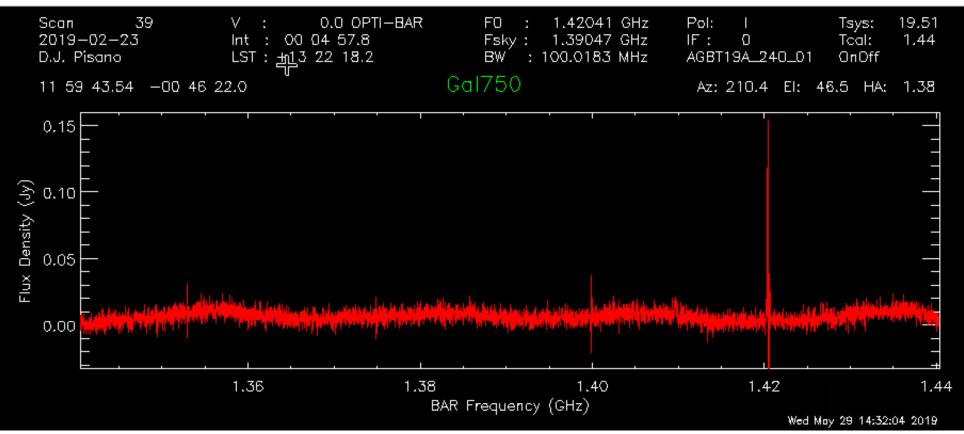
- <u>Bandwidth</u> The range of frequencies over which the spectrum is measured
- <u>Channel</u> The frequency separation between flux measurements (each point in the measured spectrum)
- <u>Spectral resolution</u> The minimum frequency difference at which spectral features can be separated



Resulting Spectrum

$$T_{Source} = \left[\frac{T_{ON} - T_{OFF}}{T_{OFF}}\right] T_{sys}$$

System temperature: temperature of blackbody producing same power as telescope + instrumentation without a source



Spectral Resolution

- The spectral resolution can be limited by:
 - integration time (signal-to-noise)
 - filter bank resolution (if you' re using a filter bank to generate a power spectrum in hardware)

