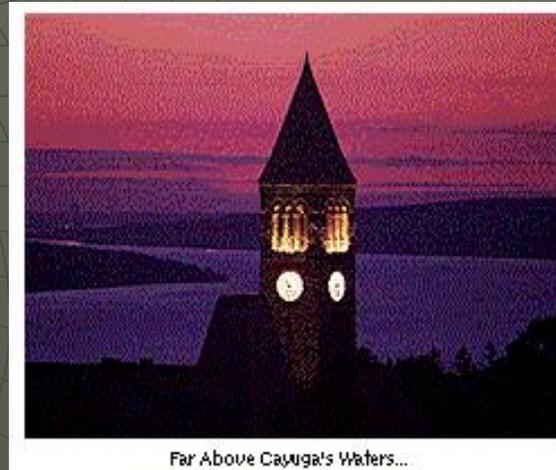


HI beyond the Milky Way

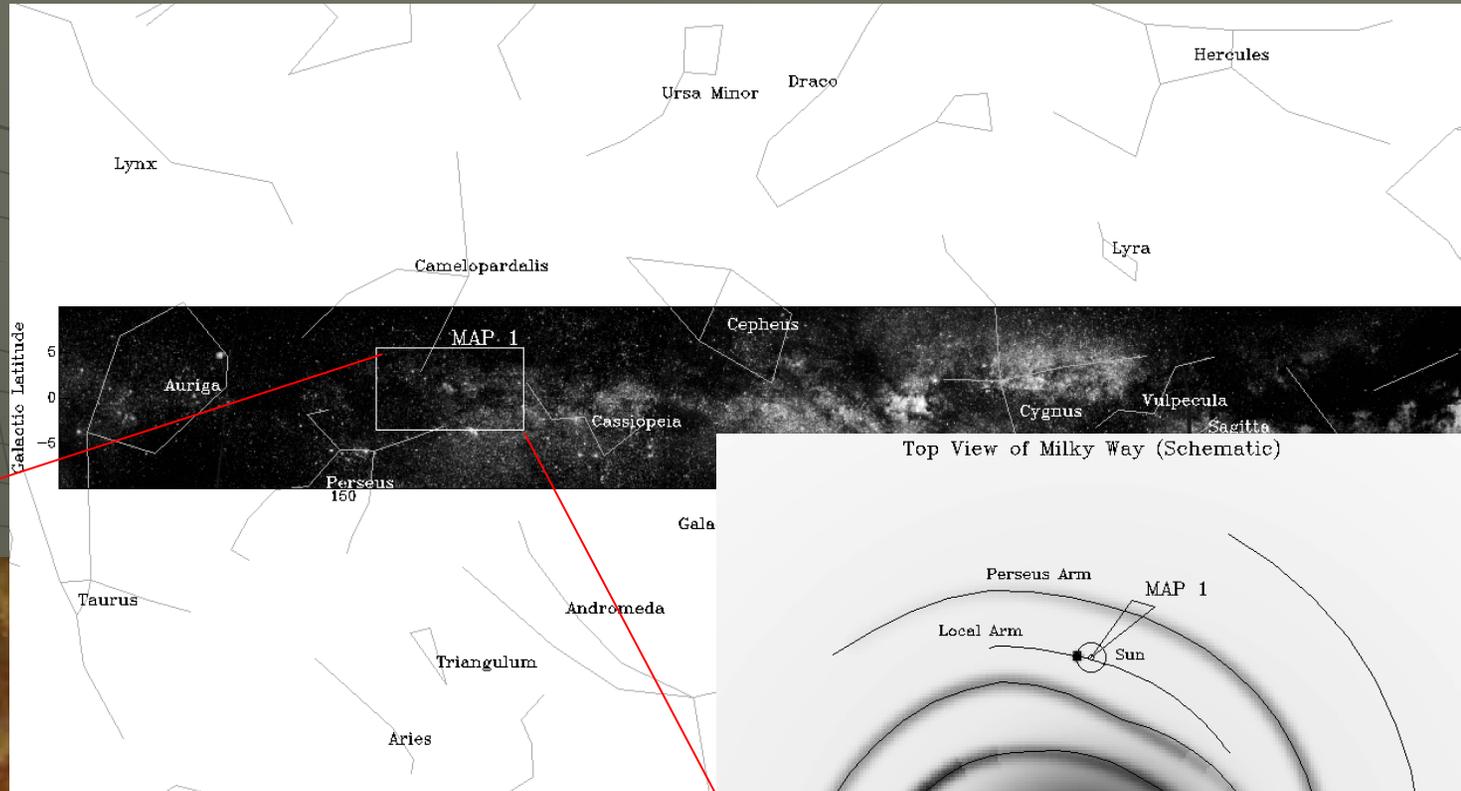
Riccardo Giovanelli
Cornell University

Union College, July 2005

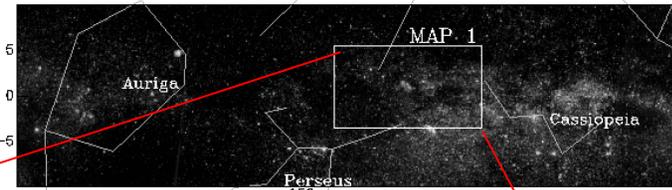


Far Above Cayuga's Waters...

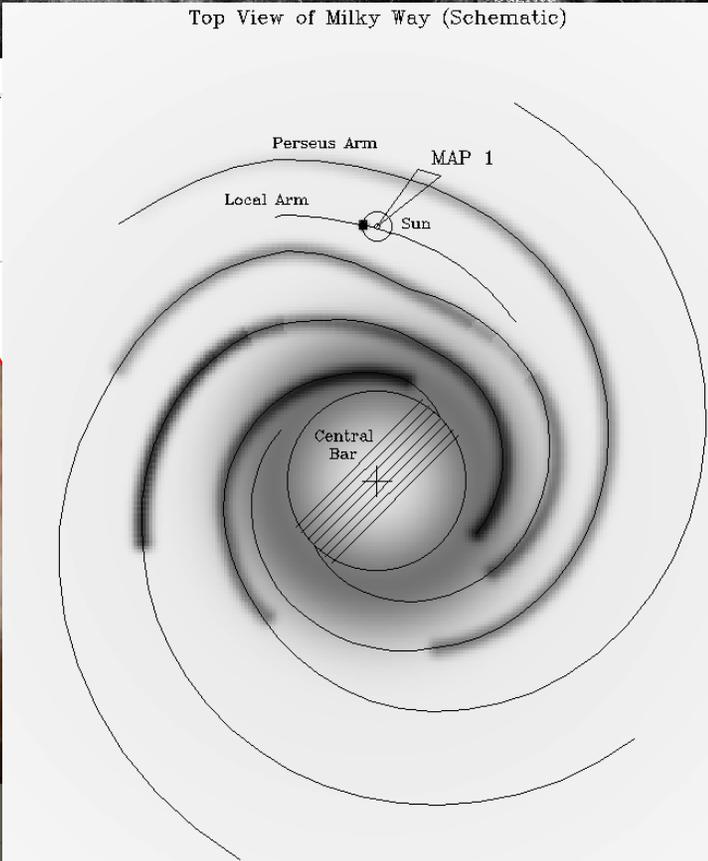
An HI view



Galactic Latitude



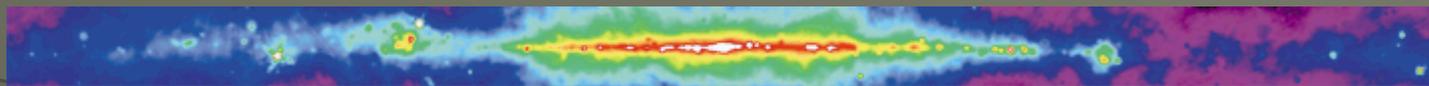
Top View of Milky Way (Schematic)



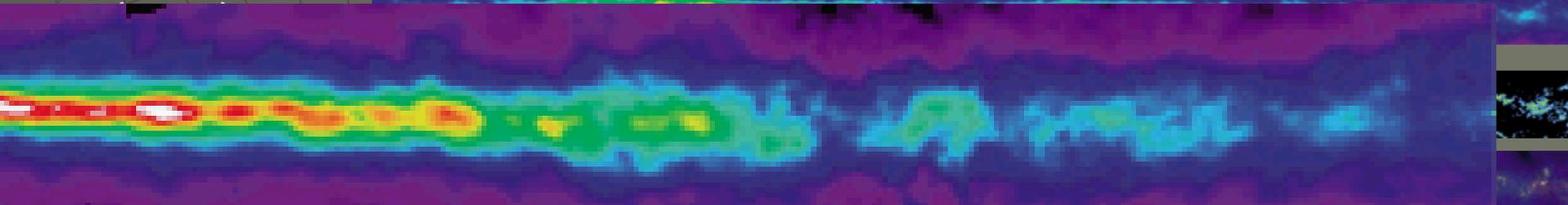
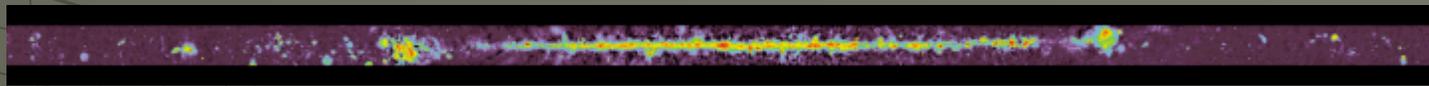
Credit: Dominion Radio Astronomy Observatory

Multiwavelength Milky Way

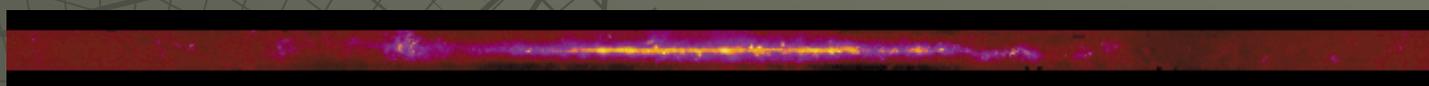
408 MHz



2.7GHz



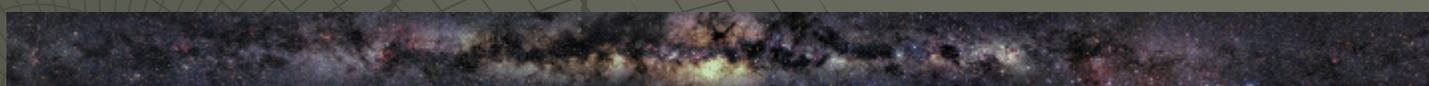
MIR (6-10m)



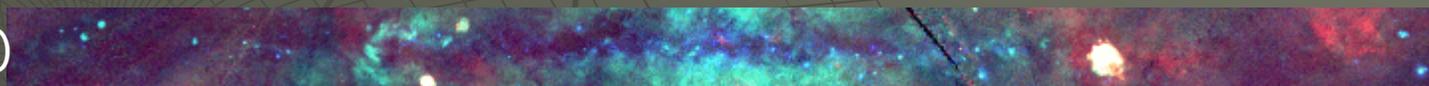
NIR (1.2-3.5 m)



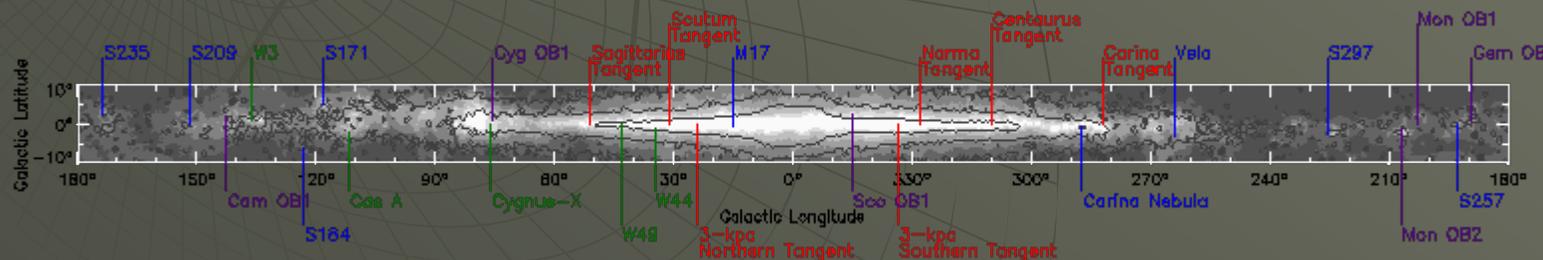
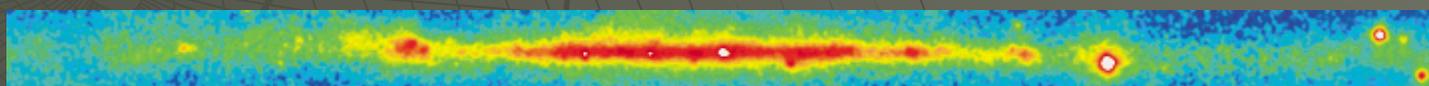
Optical



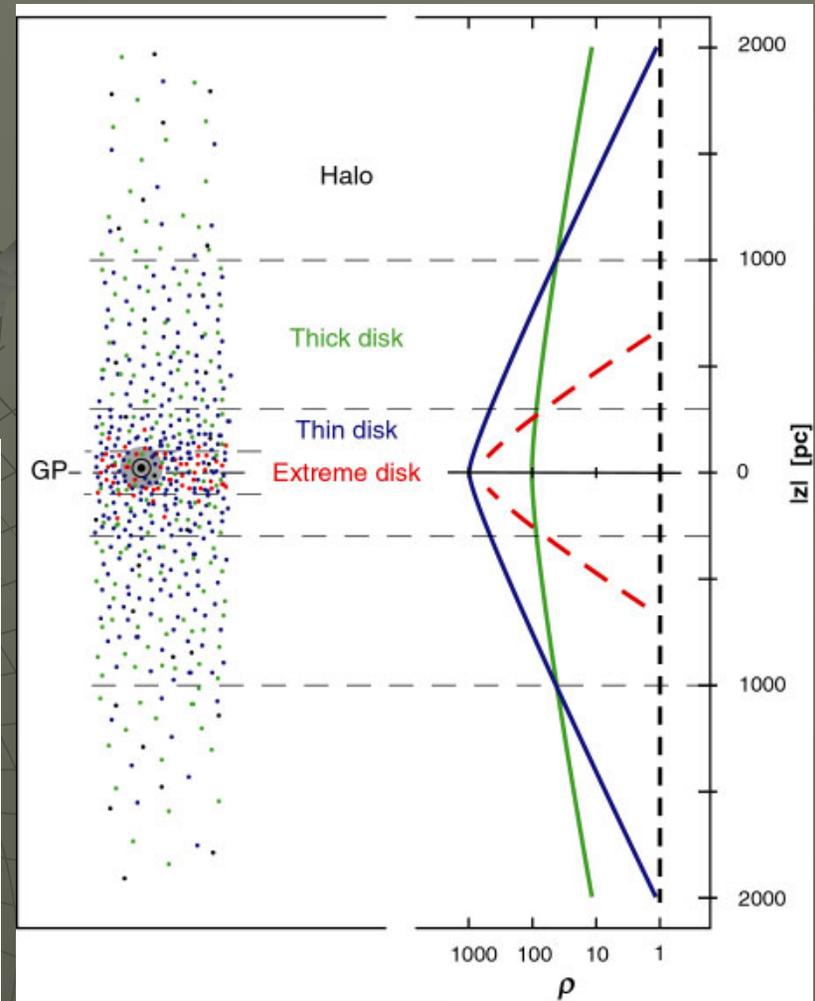
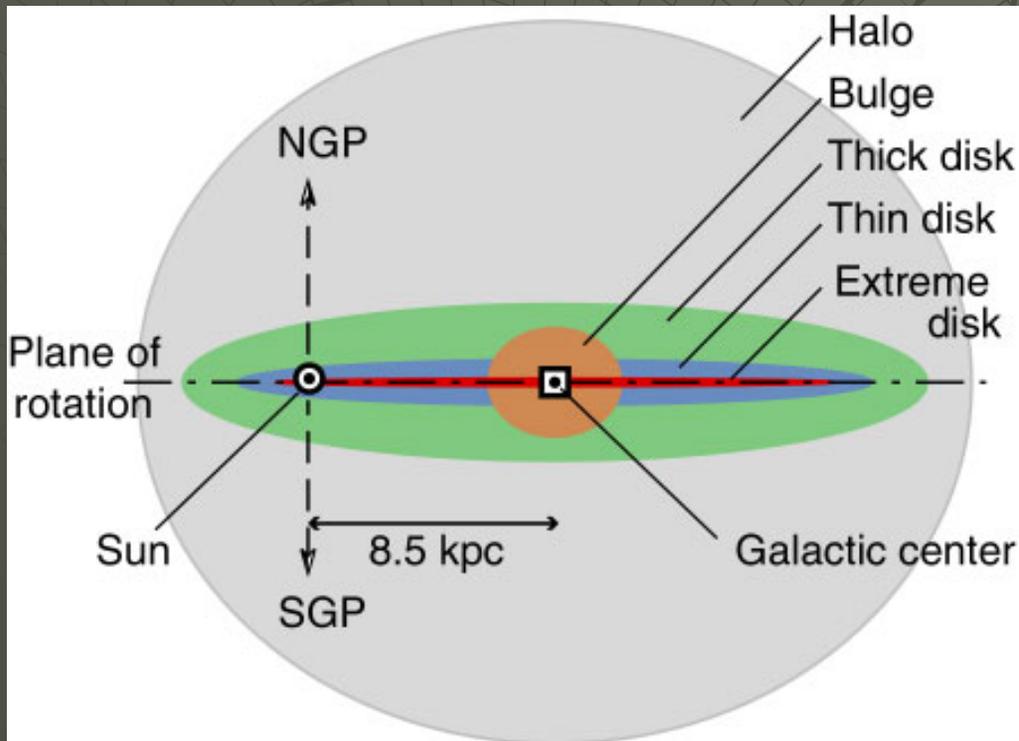
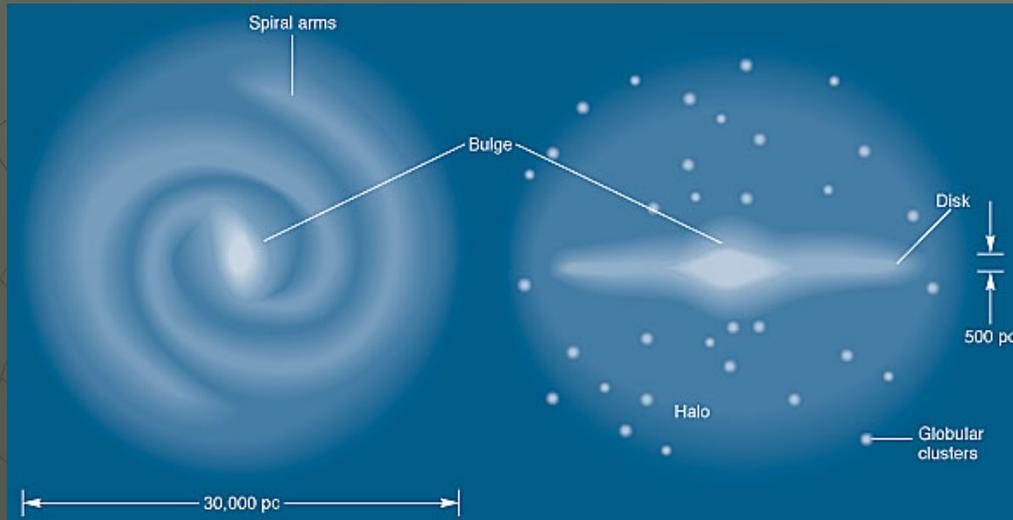
X-ray(0.25-1.5KeV)



Gamma (300 MeV)



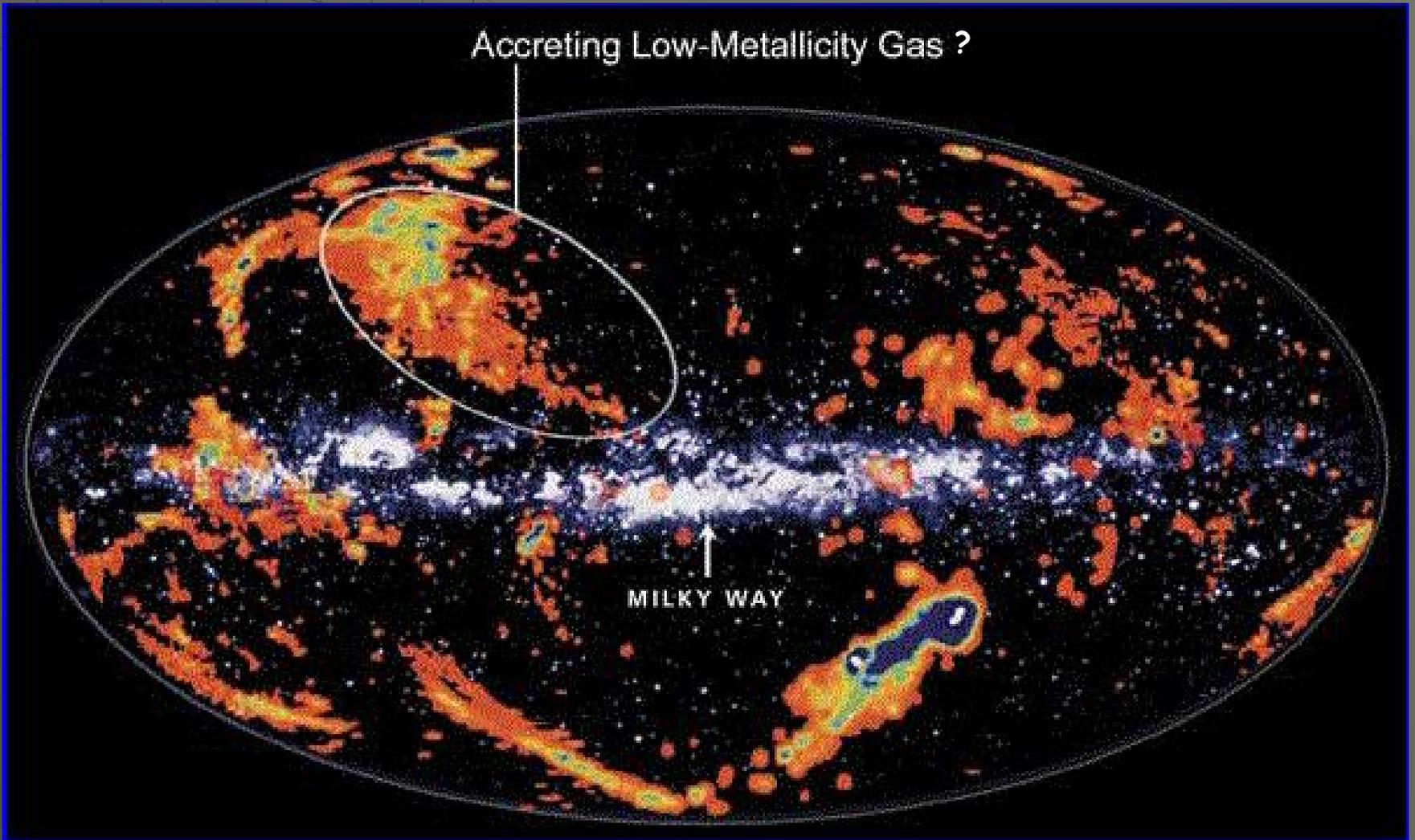
Galactic Components





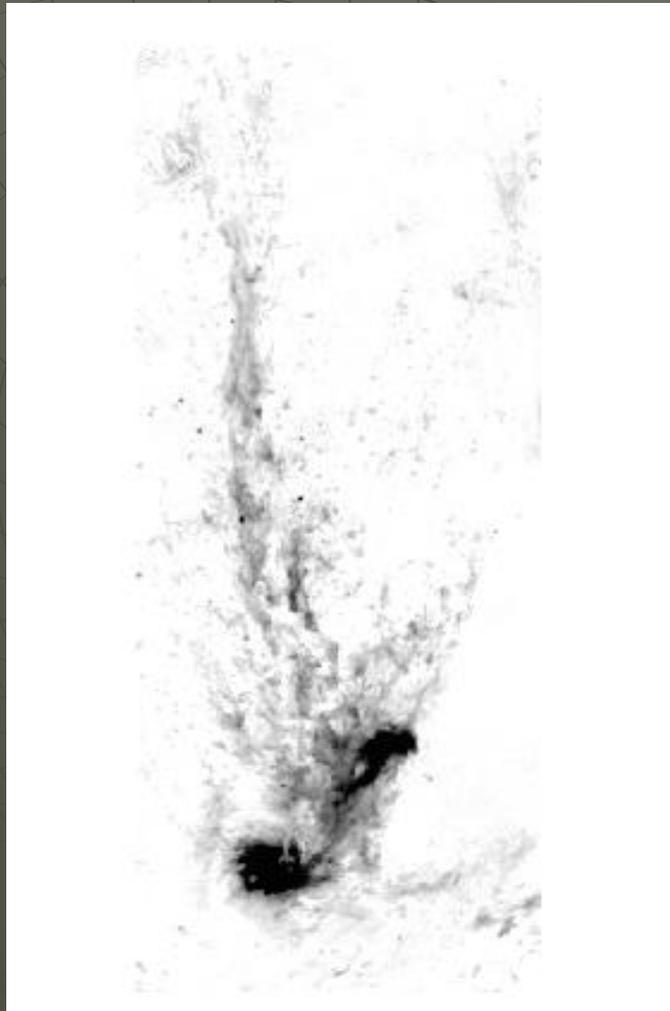
Very near extragalactic space...

High Velocity Clouds

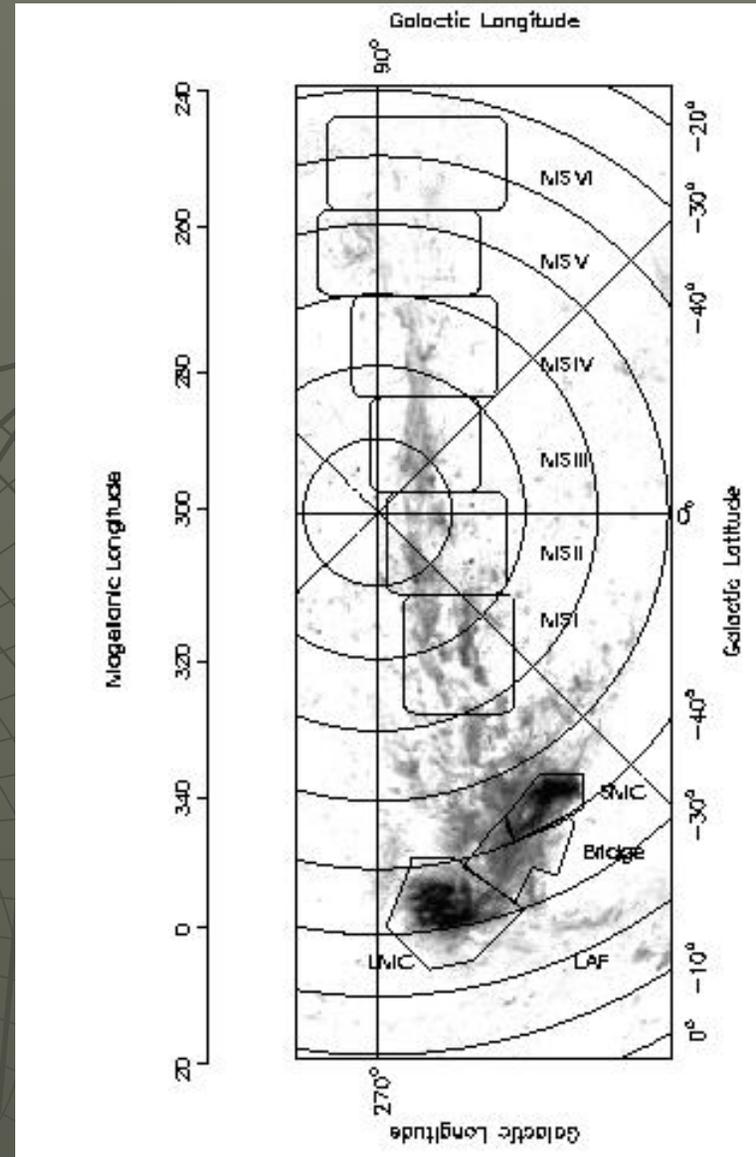


Credit: B. Wakker

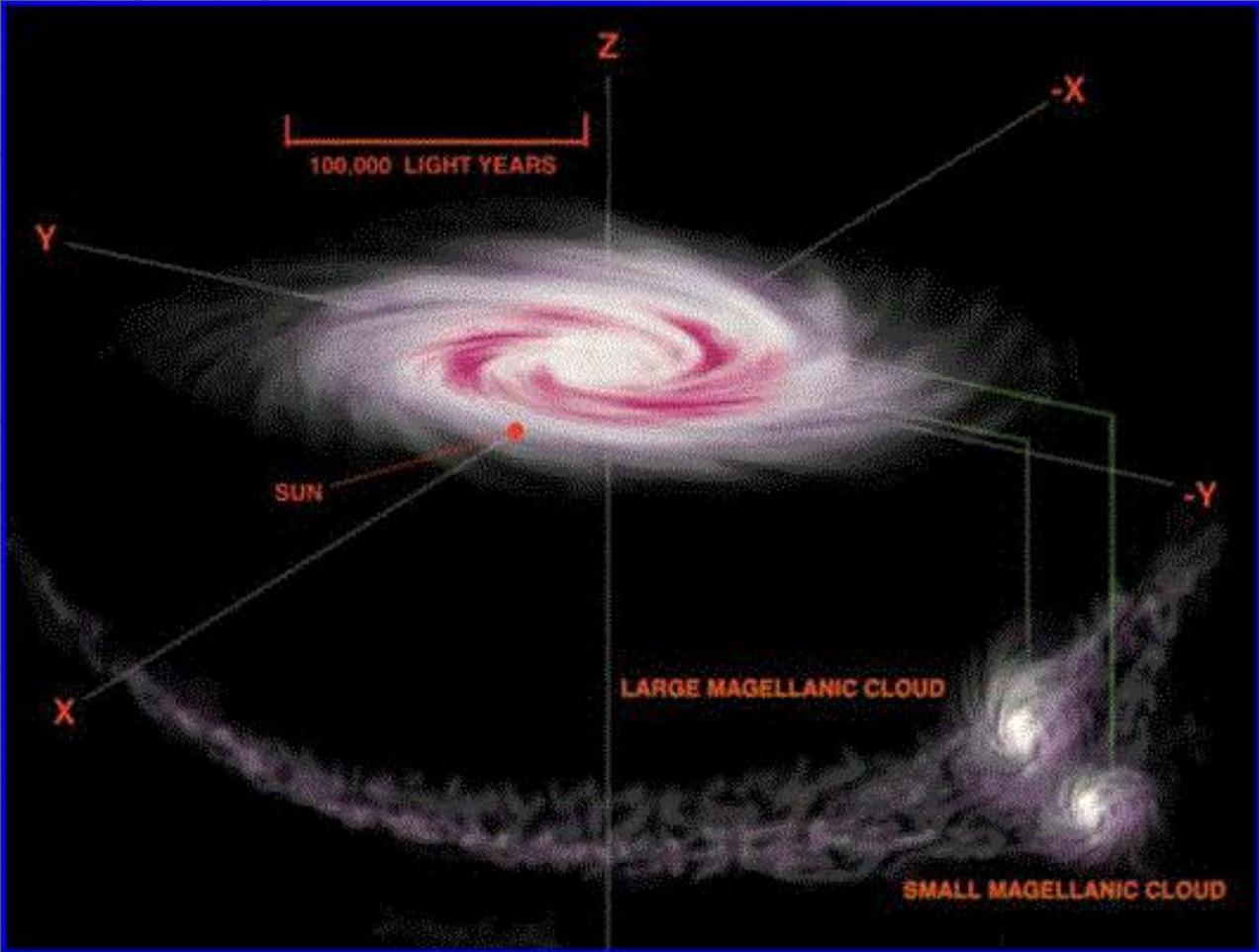
The Magellanic Stream

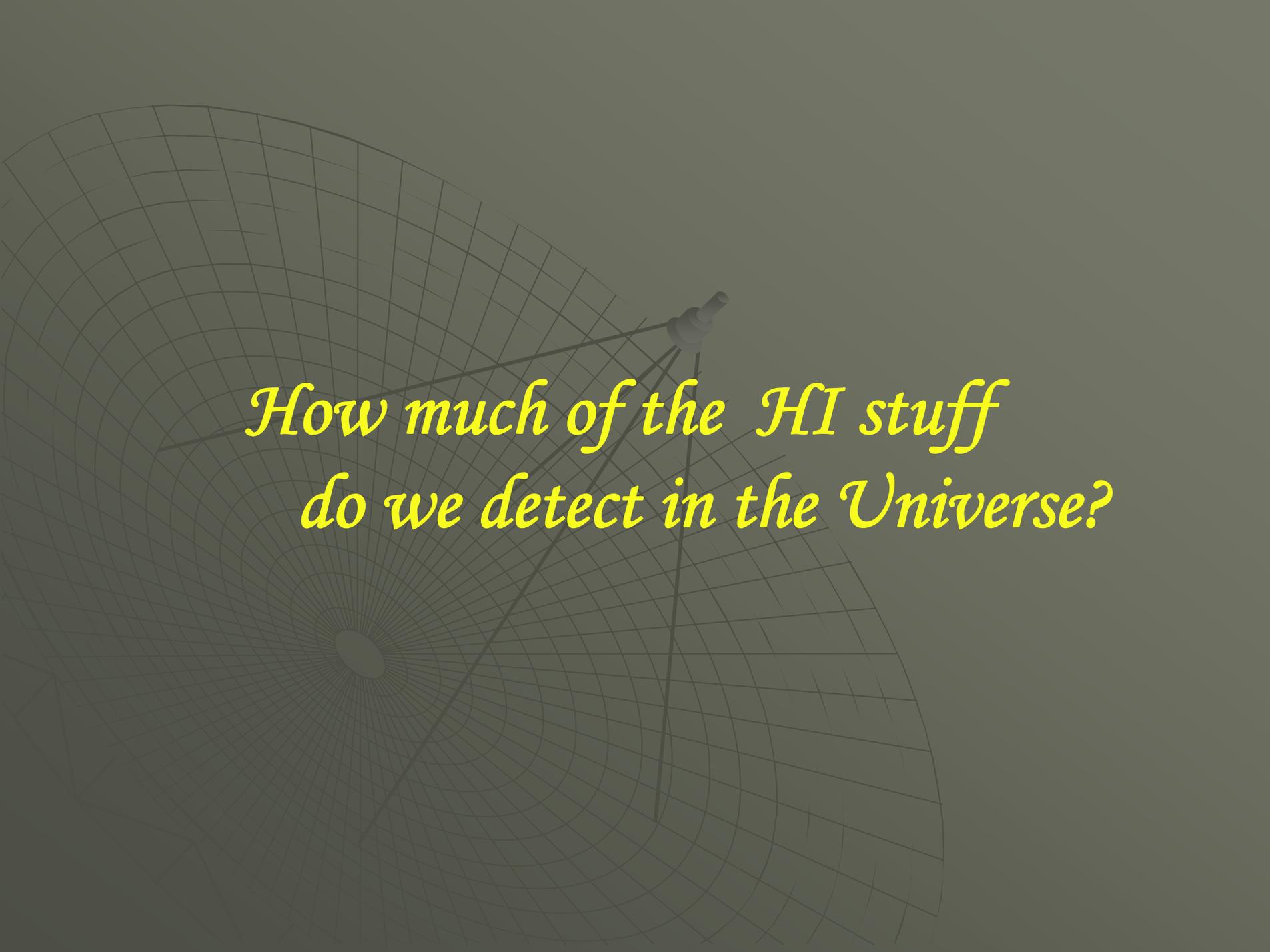


Discovered in 1974 by
Mathewson, Cleary & Murray



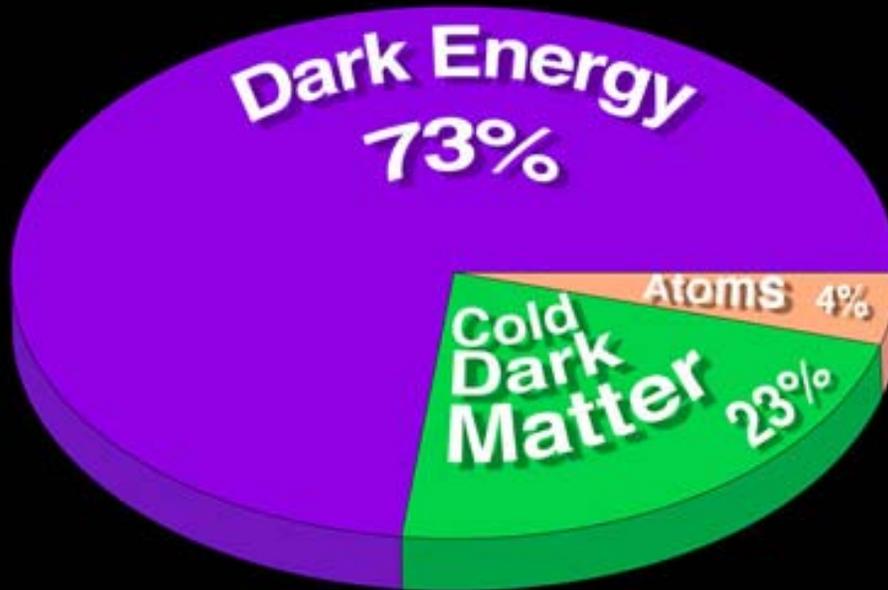
Putman et al. 2003





*How much of the HI stuff
do we detect in the Universe?*

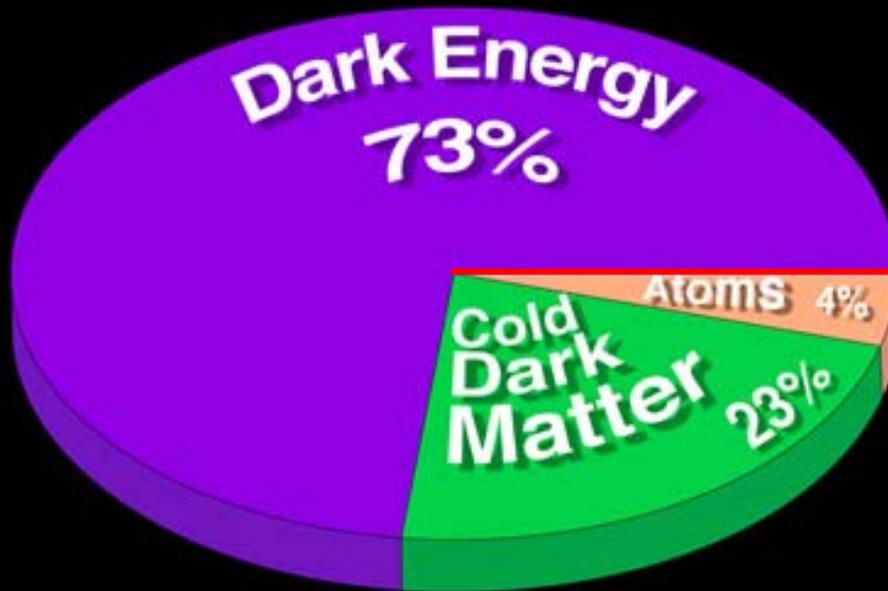
WMAP



The Universe
is Flat:

$$\Omega = 1$$

The current expansion rate is $H_0 = 70 \text{ km/s/Mpc}$



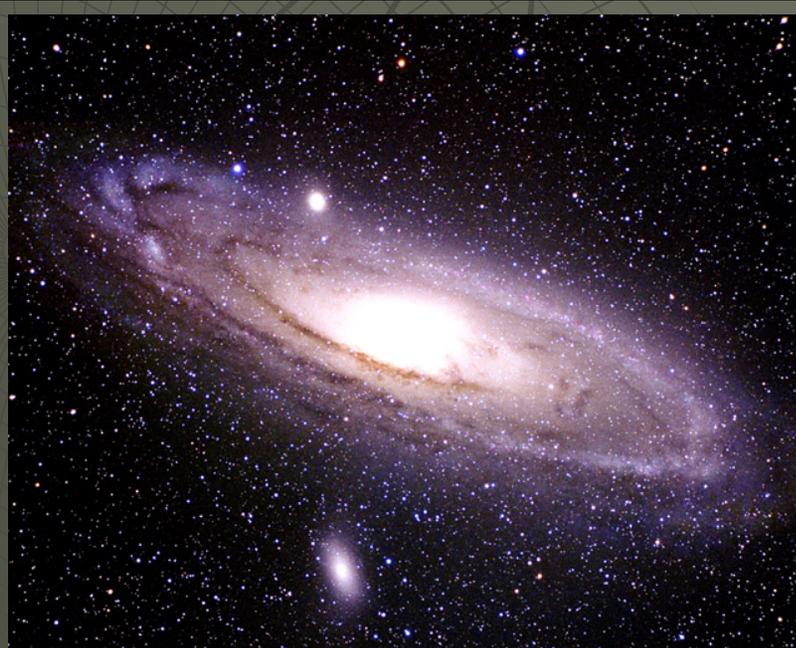
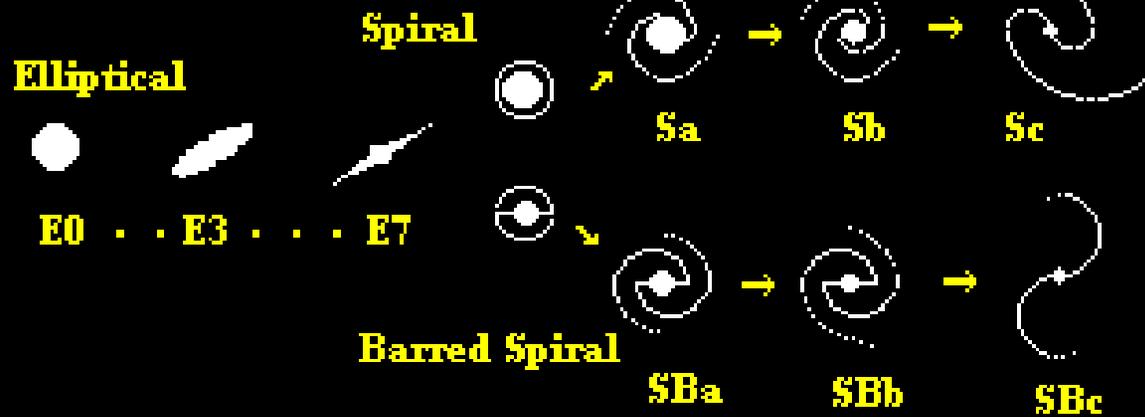
less than that...



Do all galaxies have lots of HI?

Morphological Classification

HUBBLE'S CLASSIFICATION OF THE GALAXIES (The 'TUNING FORK')



Elliptical vs Spiral

Galaxies can be classified based on appearance

Ellipticals	Spirals
Smooth falloff of light	Bulge+disk+arms
Not forming stars now	Lots of star formation
Dominant motion: random orbits	Dominant motion: circular orbits in disk
Prefer cluster cores	Avoid cluster cores



Morphology-Density Relation

The fraction of the population that is spiral decreases from the field to high density regions.

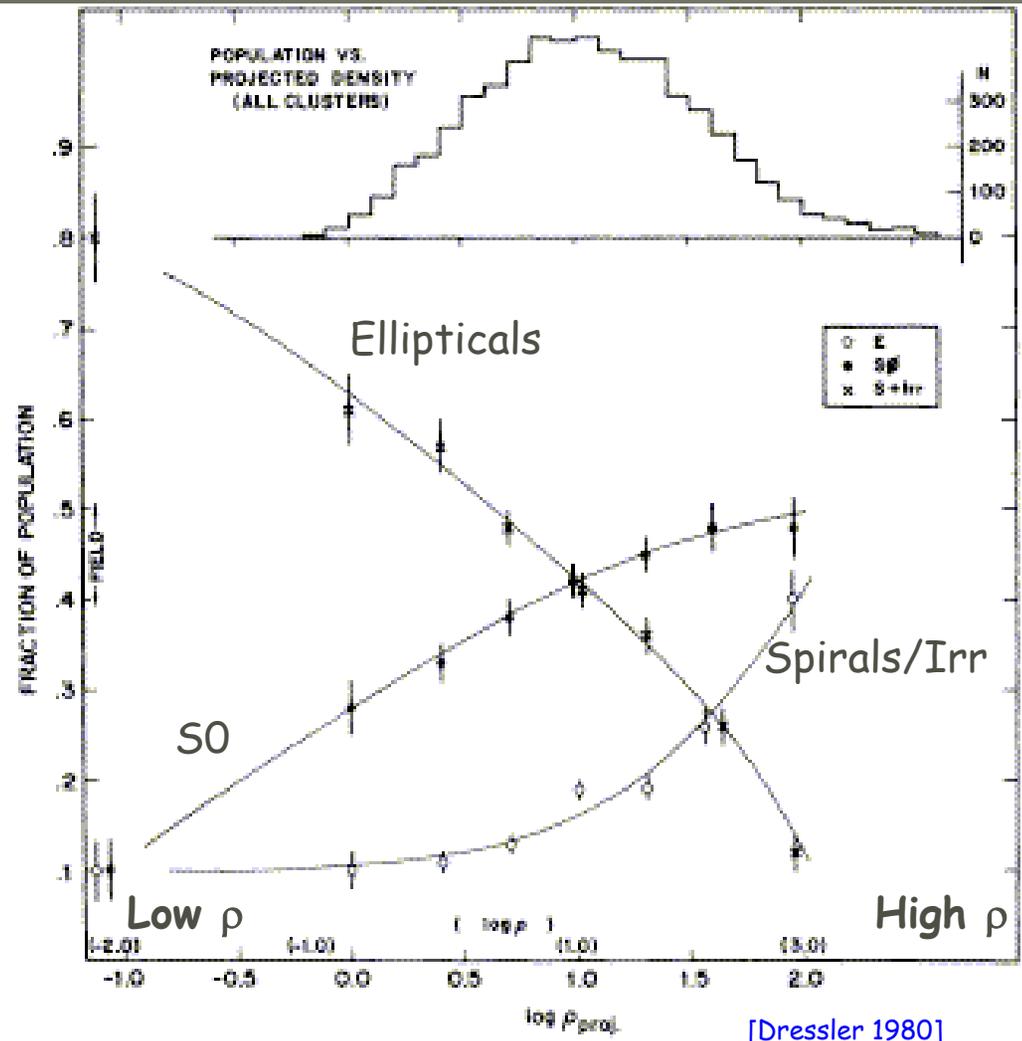


FIG. 4.—The fraction of E, S0, and S+I galaxies as a function of the log of the projected density, in galaxies Mpc^{-2} . The data shown are for all cluster galaxies in the sample and for the field. Also shown is an estimated scale of true space density in galaxies Mpc^{-3} . The upper histogram shows the number distribution of the galaxies over the bins of projected density.

Disk Formation: a primer

- Protogalaxies acquire angular momentum through tidal torques with nearest neighbors during the linear regime [Stromberg 1934; Hoyle 1949]
- As self-gravity decouples the protogalaxy from the Hubble flow, $[\dot{L}/(dL/dt)]$ becomes v.large and the growth of L ceases
- N-body simulations show that at turnaround time values of λ range between 0.01 and 0.1, for halos of all masses

- The average for halos is $\lambda = 0.05$
- Only 10% of halos have $\lambda < 0.025$ or $\lambda > 0.10$



halos achieve very modest rotational support

• Baryons collapse dissipatively within the potential well of their halo. They lose energy through radiative losses, largely conserving mass and angular momentum

• Thus λ of disks increases, as they shrink to the inner part of the halo.

$$\frac{R_h}{R_{disk}} = m_d \left(\frac{\lambda_{disk}}{\lambda_h} \right)^2$$

[Fall & Efstathiou 1980]

The spin parameter λ quantifies the degree of rotational support of a system :

$$\lambda = \frac{\omega}{\omega_{circ}} = \left(\frac{\mathcal{L}}{MR^2} \right) \left(\frac{GM}{R^3} \right)^{-1/2} = \frac{\mathcal{L}|E|^{1/2}}{GM^{5/2}}$$

For E galaxies, $\lambda \sim 0.05$
For S galaxies, $\lambda \sim 0.5$

Angular momentum

Mass

Total Energy

• If the galaxy retains all baryons \Rightarrow $m_d \sim 1/10$, and λ_{disk} grows to ~ 0.5 ,

$R_{disk} \sim 1/10 R_h$

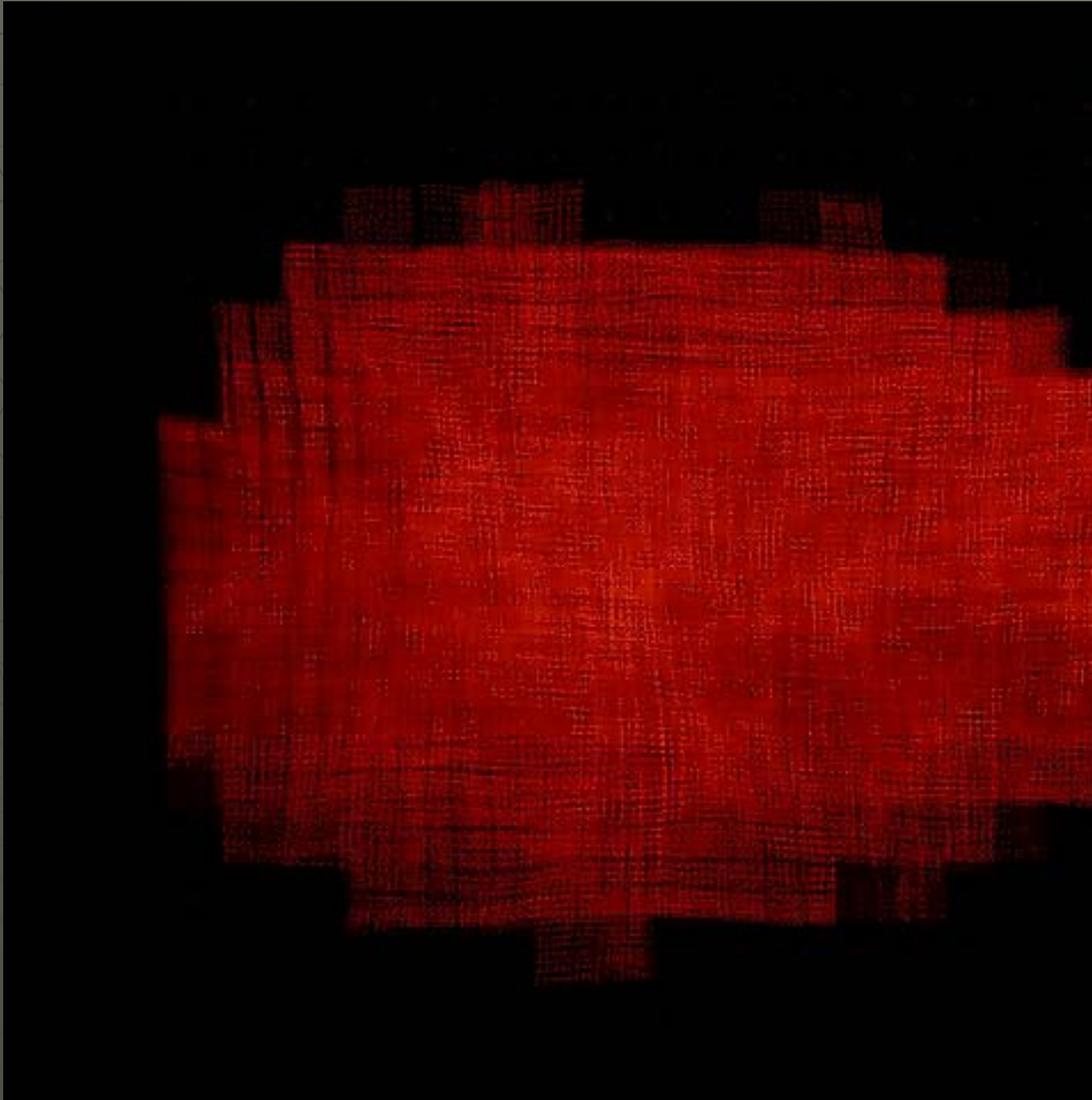
Some galaxies form through multiple (and often major) mergers

The orbits of their constituent stars are randomly oriented

Kinetic energy of random motions largely exceeds that of orderly, large-scale motions such as rotation.

These galaxies have low "spin parameter"

Elliptical galaxies





Other galaxies form in less crowded environments

They accrete material at a slower pace and are unaffected by major mergers for long intervals of time

Baryonic matter ("gas") collapses slowly (and dissipatively - losing energy) within the potential well of Dark matter, forming a disk

Baryonic matter has high spin parameter: large-scale rotation is important

Spiral Galaxy

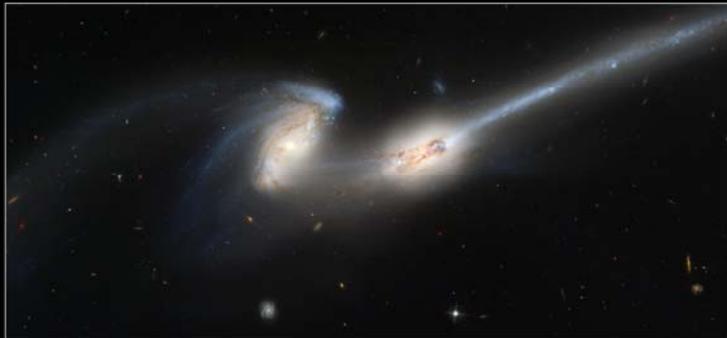
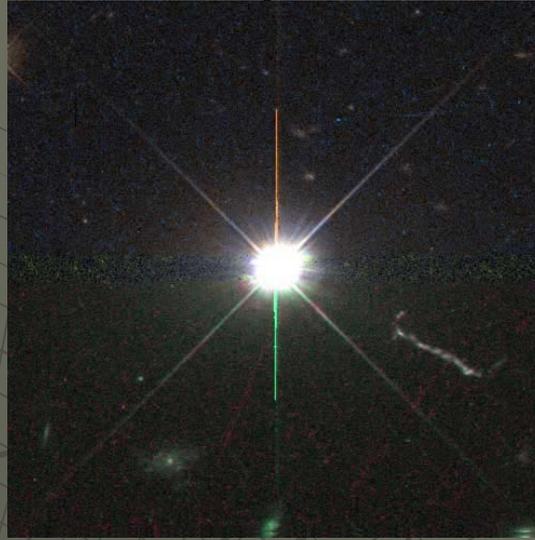
Galaxy Exotica

Galaxy NGC 7742



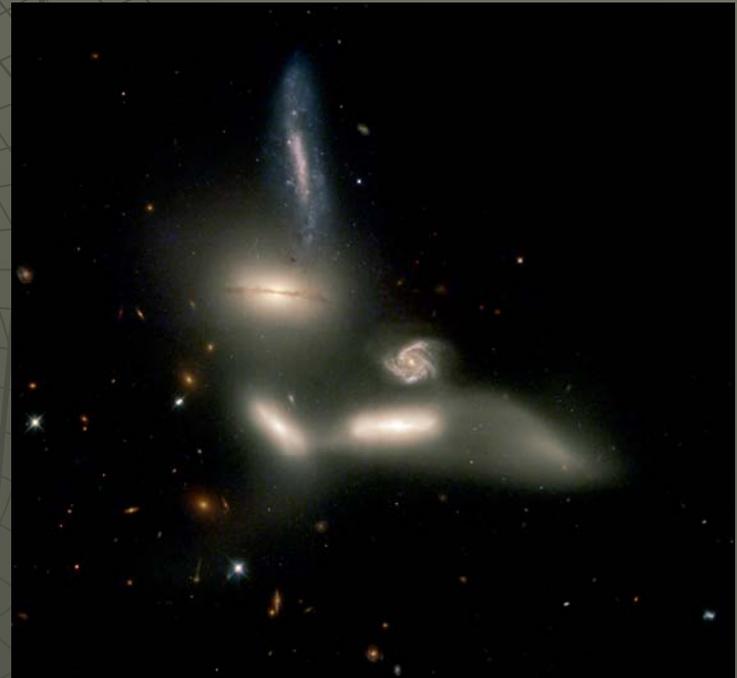
Hubble
Heritage

PRC98-28 • Space Telescope Science Institute • Hubble Heritage Team



The Mice • Interacting Galaxies NGC 4676
Hubble Space Telescope • Advanced Camera for Surveys

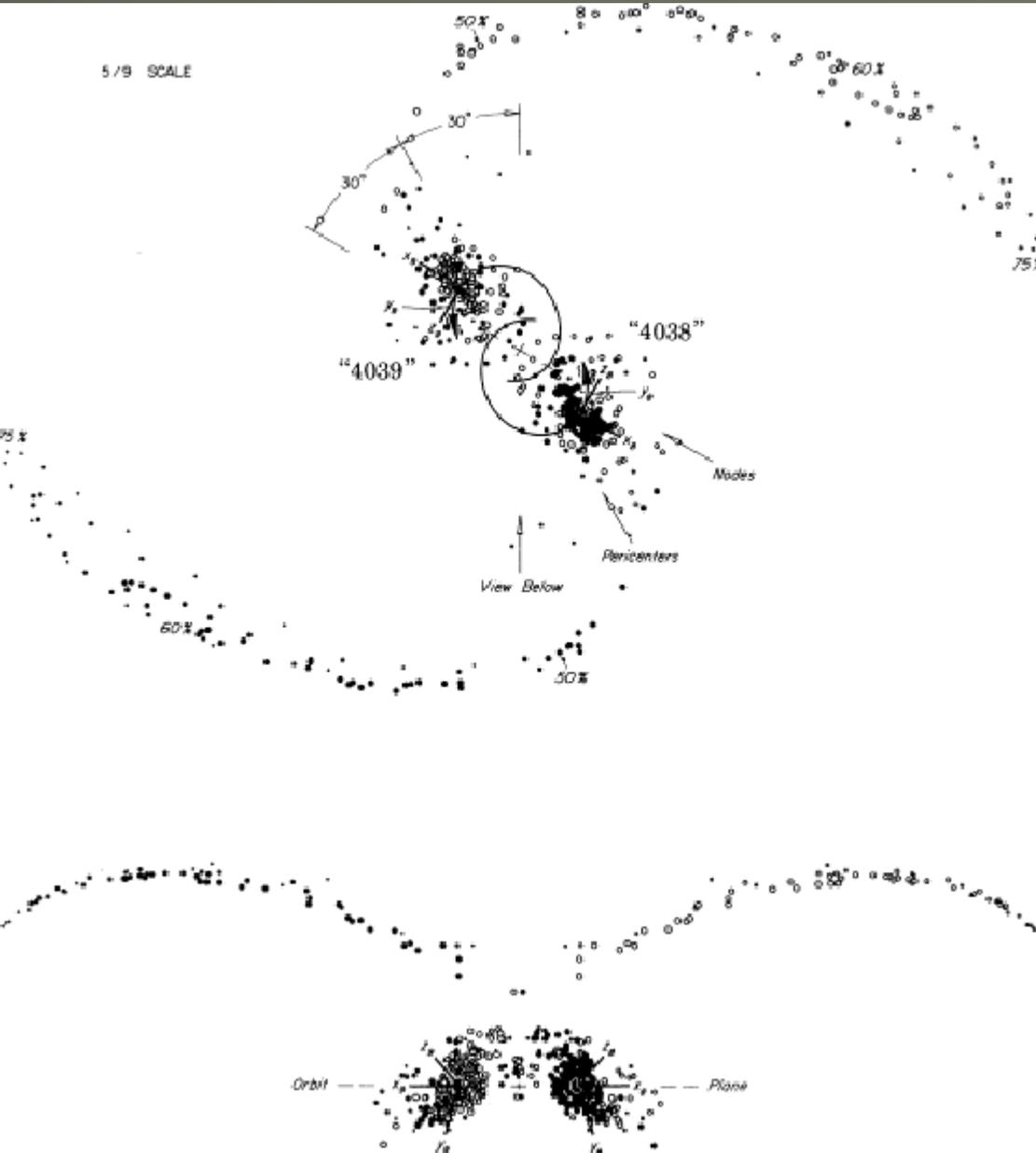
NASA, H. Ford (JHU), G. Illingworth (UCSC/LO), M. Clampin (STScI), G. Hartig (STScI) and the ACS Science Team • STScI-PRC02-11d



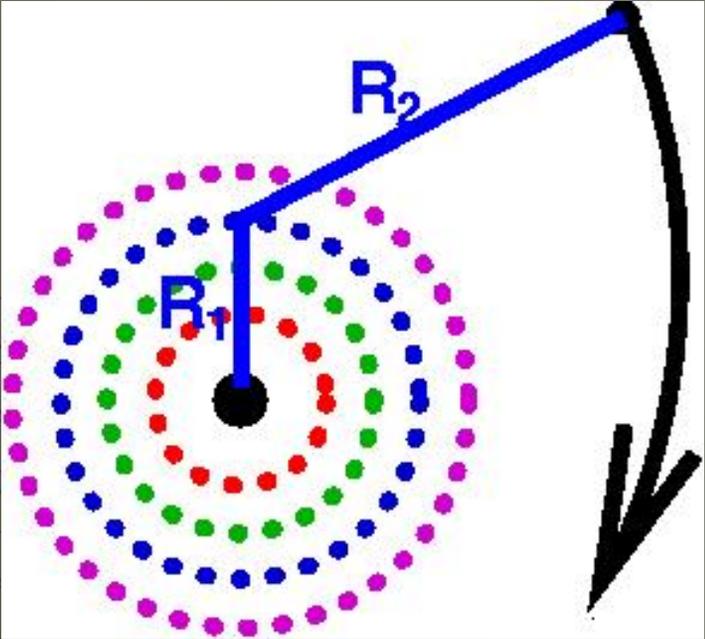
The Antennae



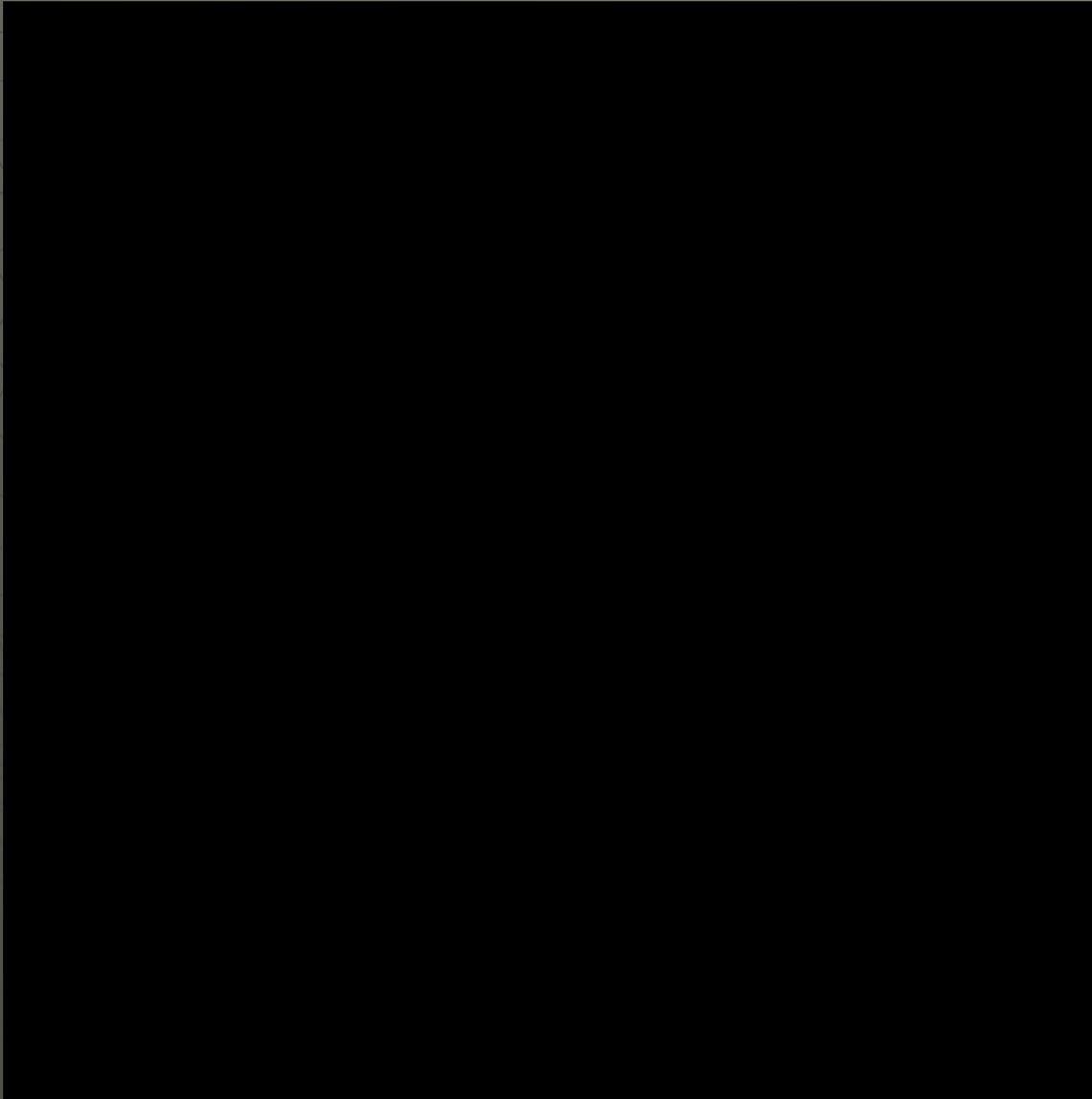
Toomre & Toomre 1972

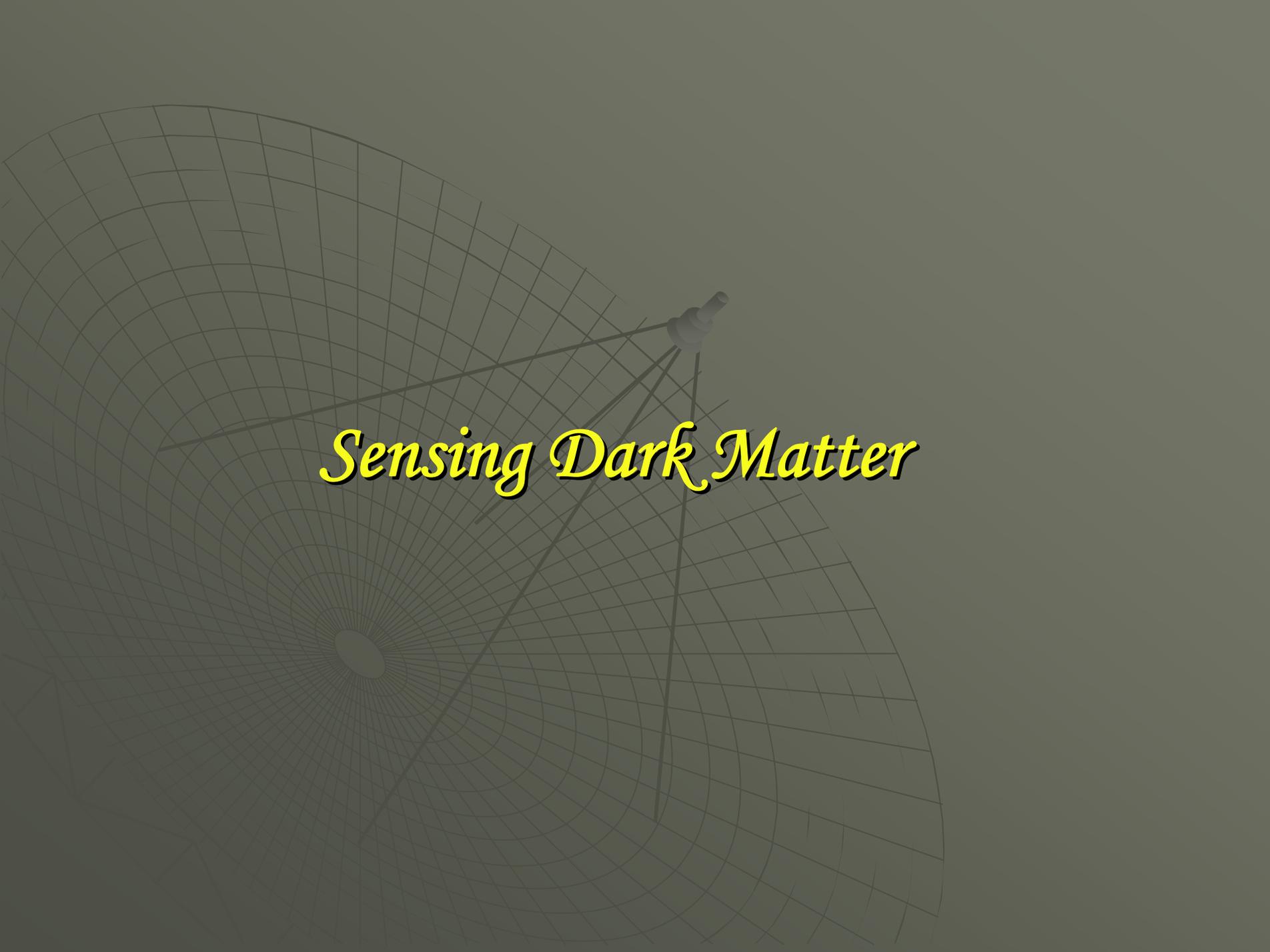


Restricted 3-body problem

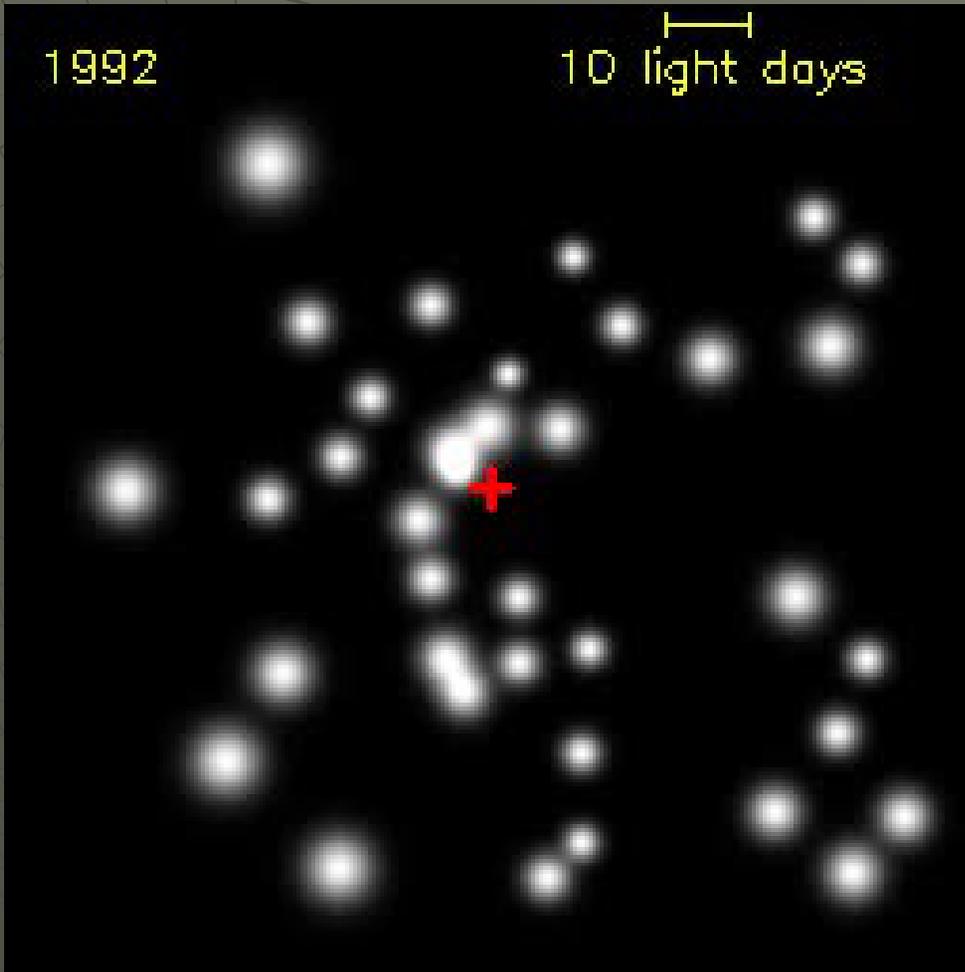


A Computer
Simulation of the
Merger of two
Spiral galaxies



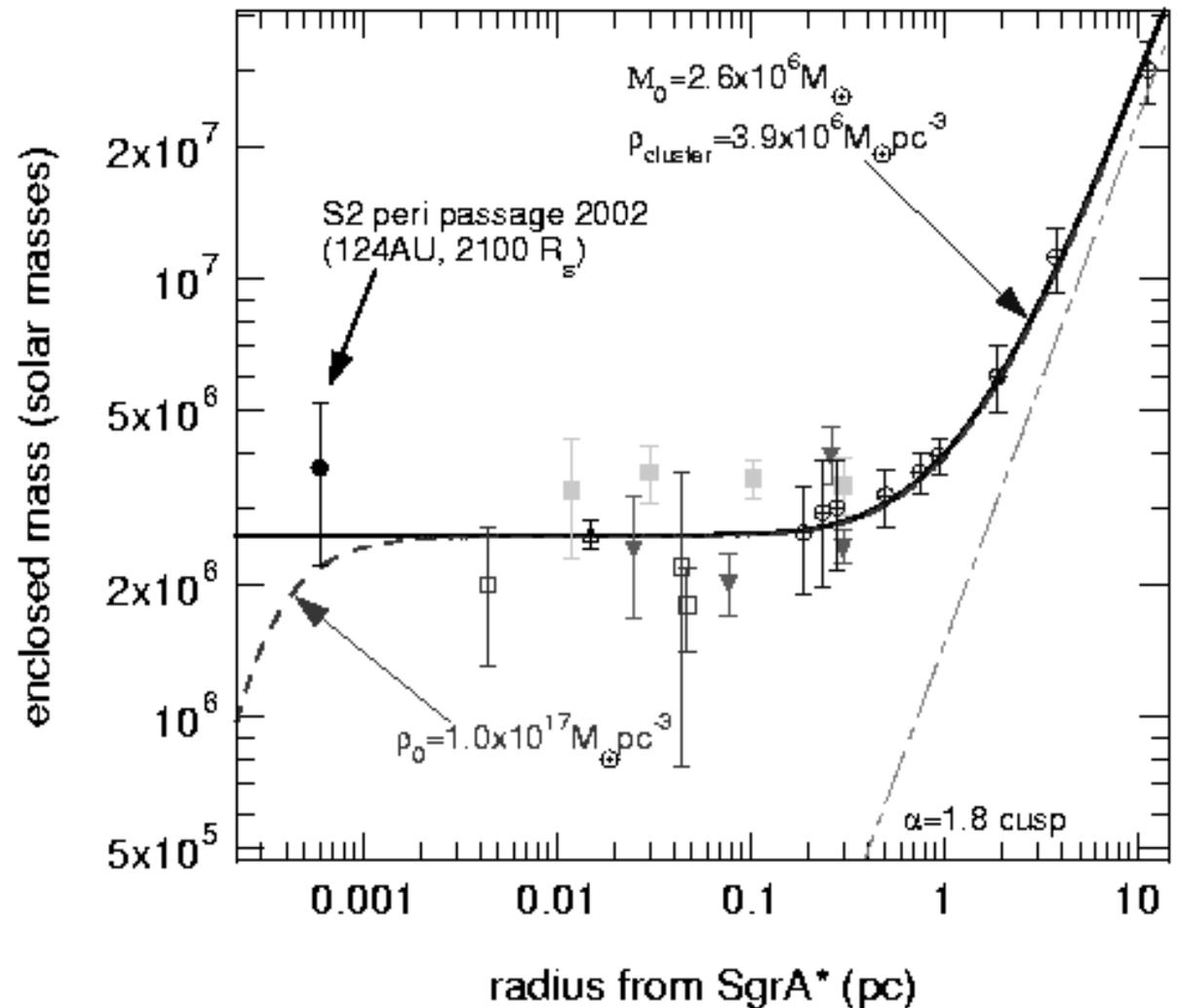


Sensing Dark Matter



Just as we use observations of the orbits of stars near the center of our Milky Way to infer the presence of a Supermassive Black Hole...

Schoedel et al
(2002)



The $M(r)$ at the center of the Galaxy is best fitted by the combination of

- point source of $2.6 \pm 0.2 \times 10^6 M_{\text{sun}}$
- and a cluster of visible stars with a core radius of 0.34 pc and $\rho_0 = 3.9 \times 10^6 M_{\text{sun}}/\text{pc}^3$

Research Note

Comparison of Rotation Curves of Different Galaxy Types

M. S. Roberts* and A. H. Rots

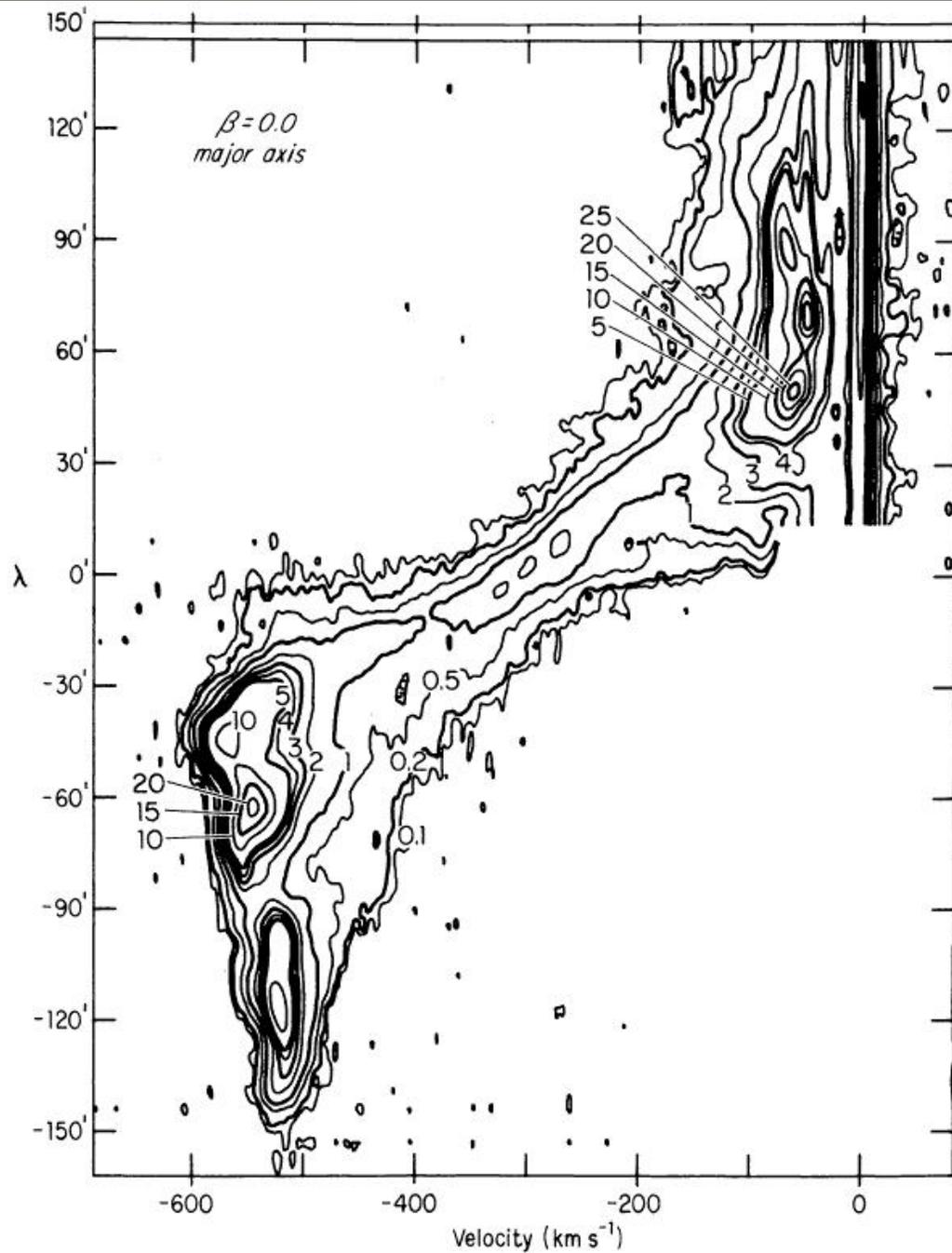
Kapteyn Astronomical Institute, University of Groningen

Received November 23, 1972, revised April 13, 1973

Summary. Rotation curves extending to large radial distances are now available for 3 spiral galaxies, each of a different type. Differences in shape of the rotation curves indicate a mass distribution that is related to structural type and is in the same sense as the luminosity distribution for these galaxies. The shapes of the

rotation curves at large radii indicate a significant amount of matter at these large distances and imply that spiral galaxies are larger than found from photometric measurements.

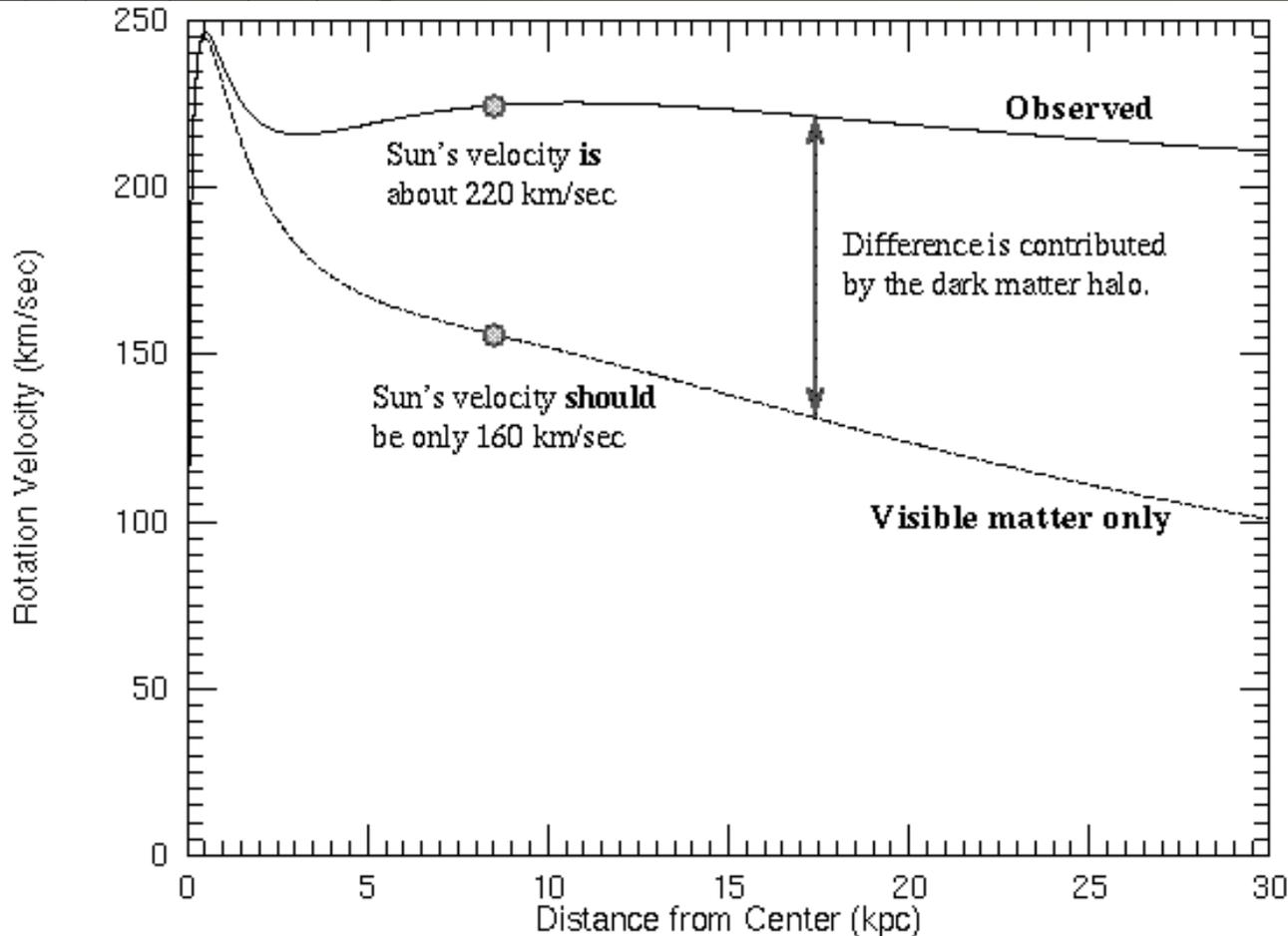
Key words: galaxies – rotation curves



M31 Effelsberg data

Roberts, Whitehurst
& Cram 1978

Milky Way Rotation Curve



The gravity of the visible matter in the Galaxy is not enough to explain the high orbital speeds of stars in the Galaxy. For example, the Sun is moving about 60 km/sec too fast. The part of the rotation curve contributed by the visible matter only is the bottom curve. The discrepancy between the two curves is evidence for a **dark matter halo**.

→ Dark Matter is needed to explain the Milky Way (and other galaxies') dynamics

→ The fractional contribution of the Dark Matter to the total mass contained within a given radius increases outwards

→ The total mass of the Galaxy is dominated by Dark Matter

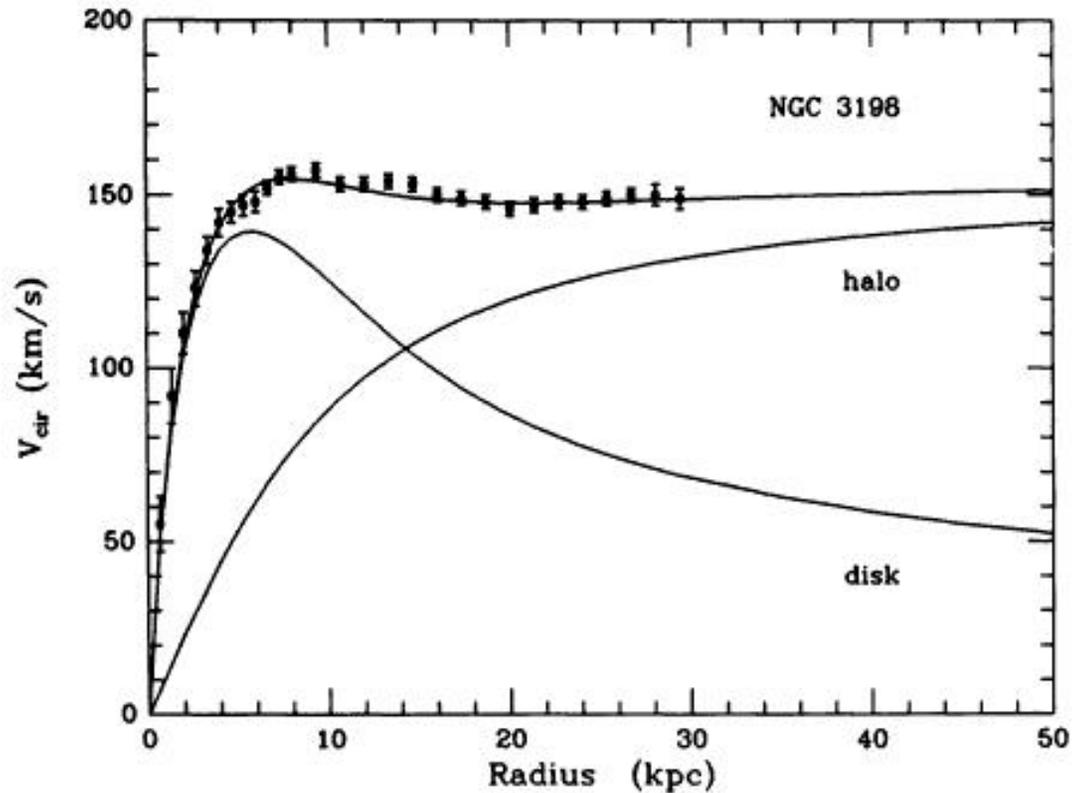


FIG. 4.—Fit of exponential disk with maximum mass and halo to observed rotation curve (*dots with error bars*). The scale length of the disk has been taken equal to that of the light distribution ($60''$, corresponding to 2.68 kpc). The halo curve is based on eq. (1), $a = 8.5$ kpc, $\gamma = 2.1$, $\rho(R_0) = 0.0040 M_{\odot} \text{pc}^{-3}$.

[Van Albada, Bahcall, Begeman & Sancisi 1985]

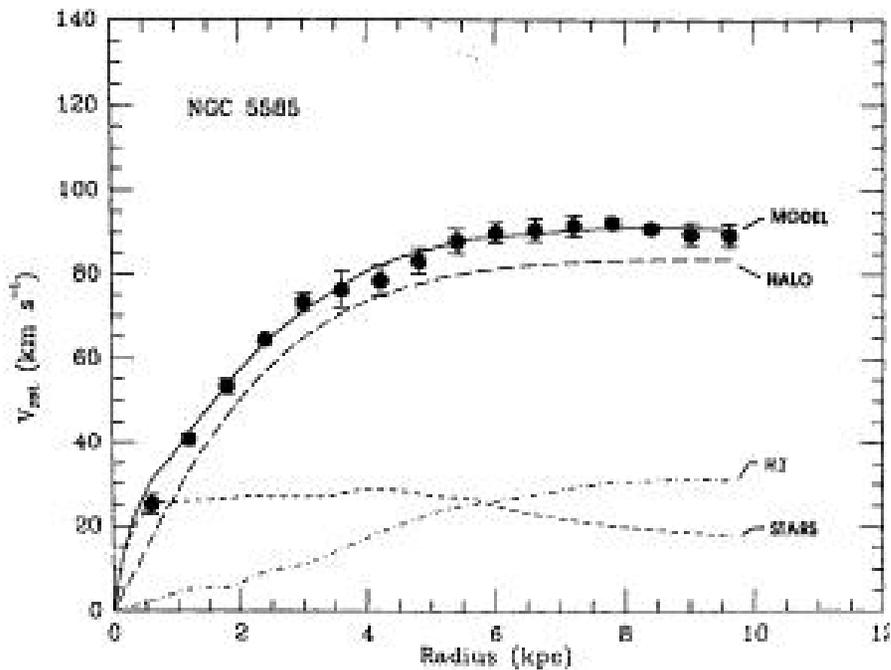


FIG. 13. Mass model for NGC 5585 using the "maximum-disk" method. The contribution of each component is plotted. The stellar disk has $(M/L_B)_* = 0.5 M_\odot/L_\odot$, the dark halo has $r_c = 3.1$ kpc and $\sigma = 52.7$ km s $^{-1}$.

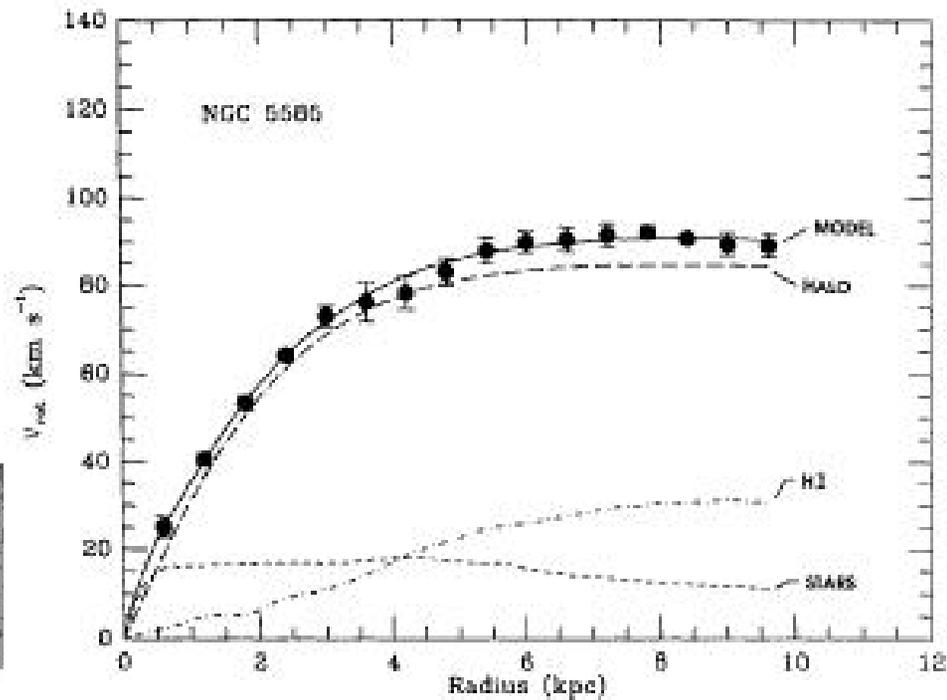
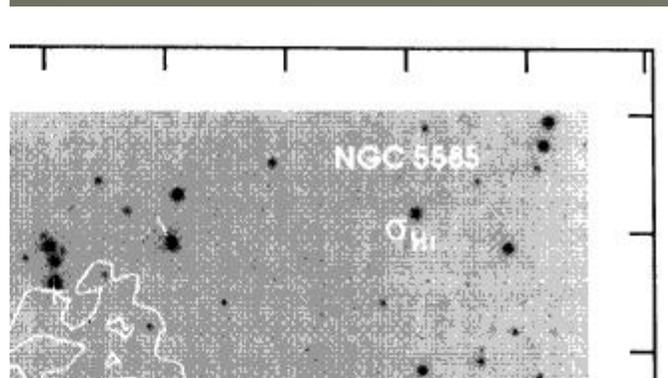
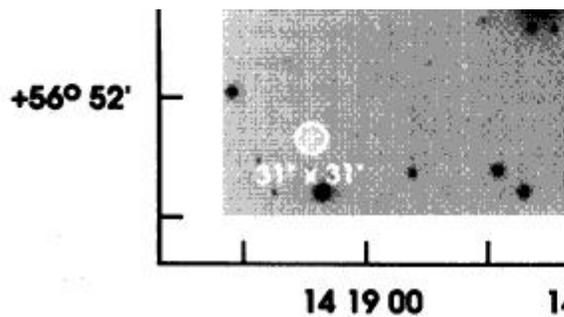
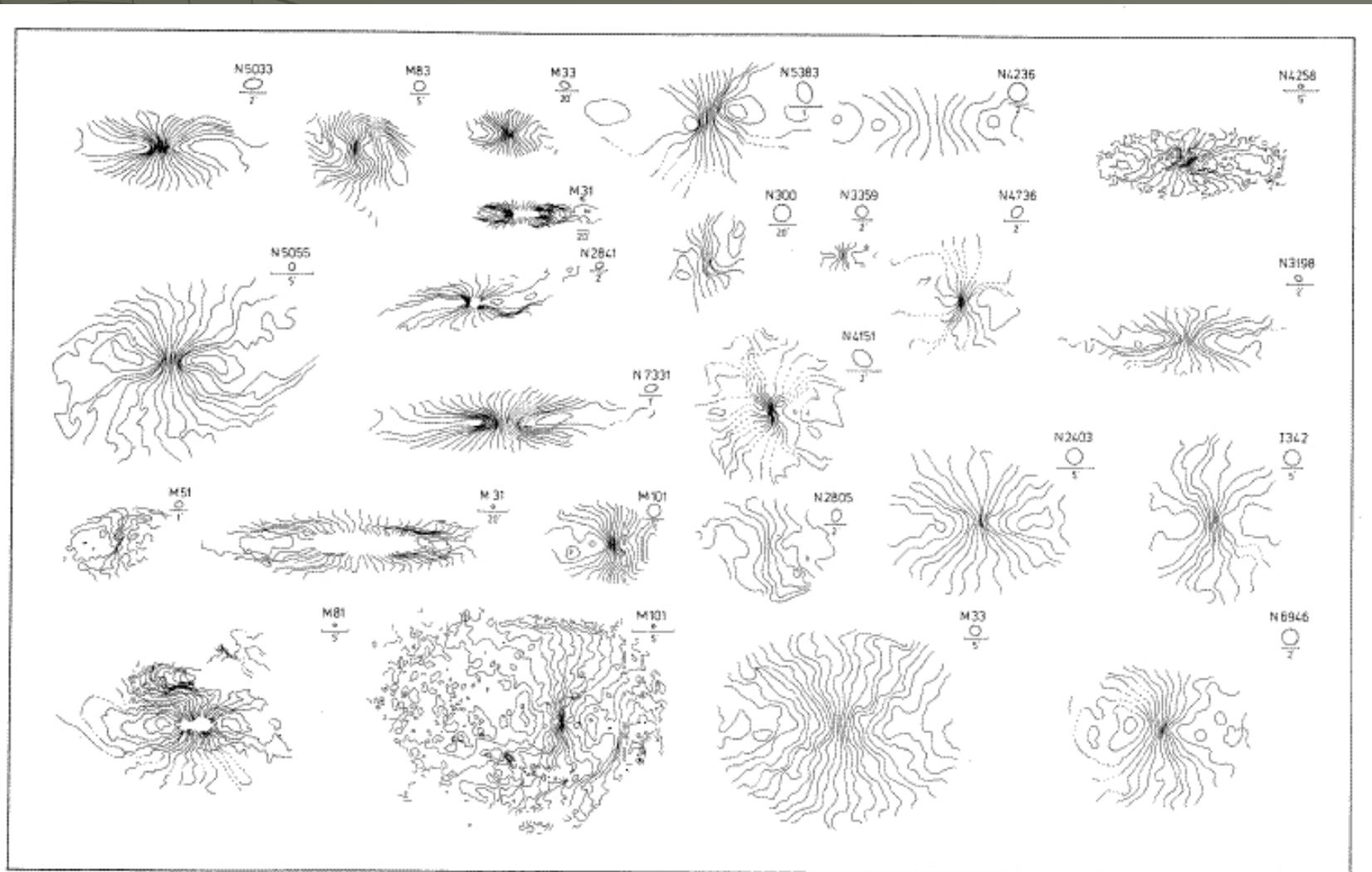


FIG. 12. Mass model for NGC 5585 using the "best-fit" method. The contribution of each component is plotted. The stellar disk has $(M/L_B)_* = 0.2 M_\odot/L_\odot$. The dark isothermal halo has a core radius $r_c = 2.8$ kpc and a velocity dispersion $\sigma = 53.4$ km s $^{-1}$.

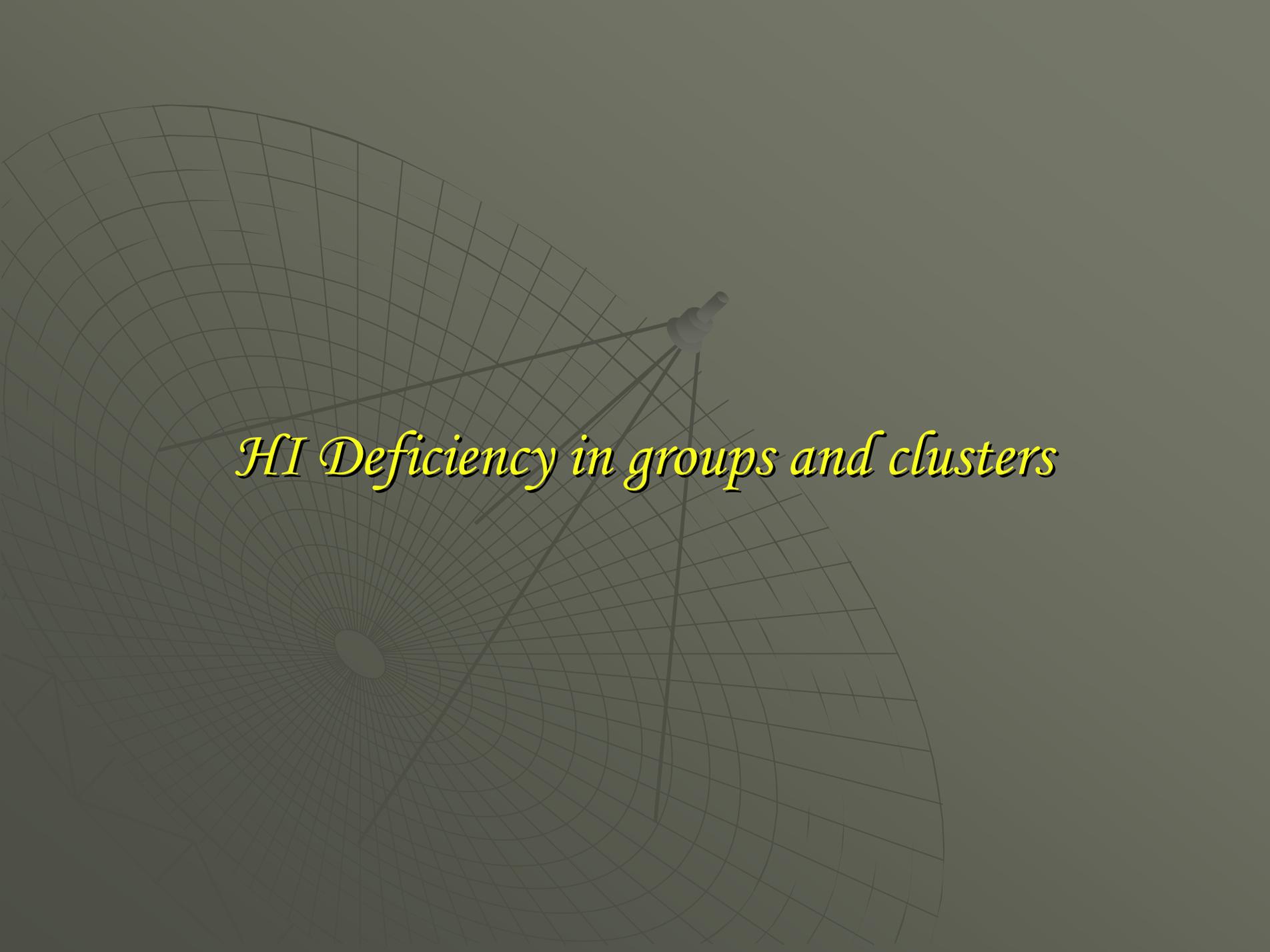
A page from Dr. Bosma's Galactic Pathology Manual



[Bosma 1981]



We use HI maps of galaxies to infer their masses, their dynamical circumstances, to date their interactions with companions, to infer their star formation ("fertility") rates...



HI Deficiency in groups and clusters

Morphological Alteration Mechanisms

I. Environment-independent

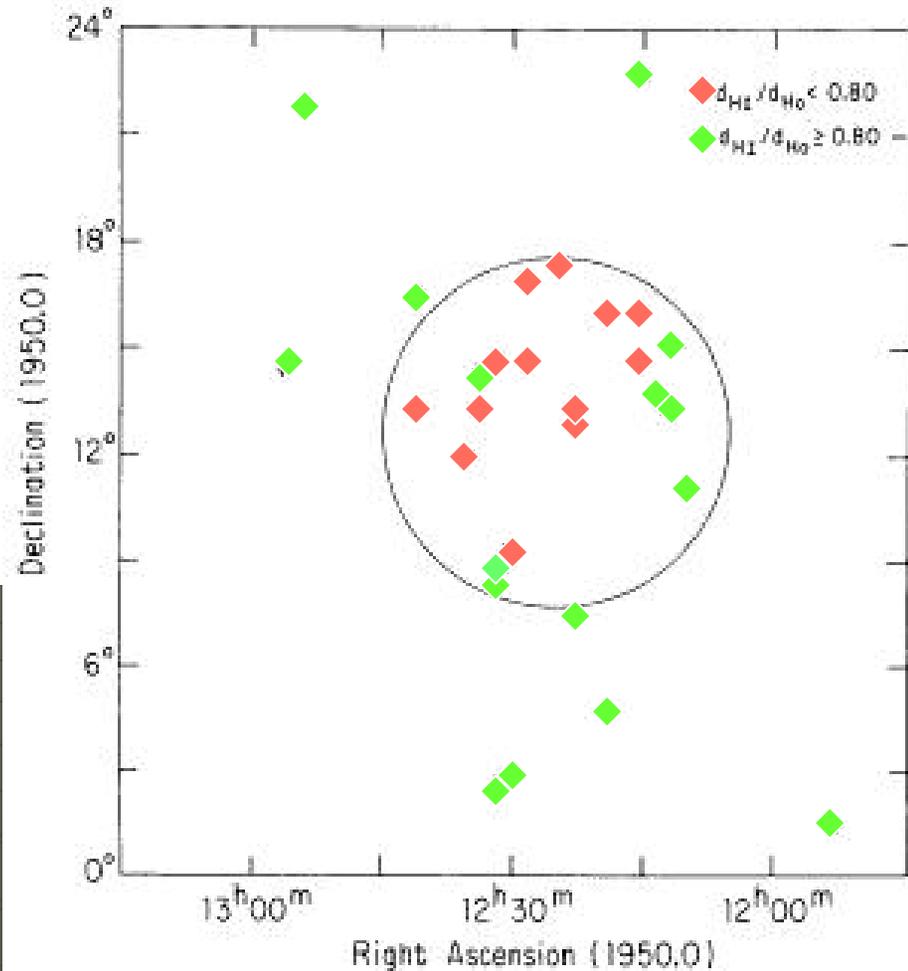
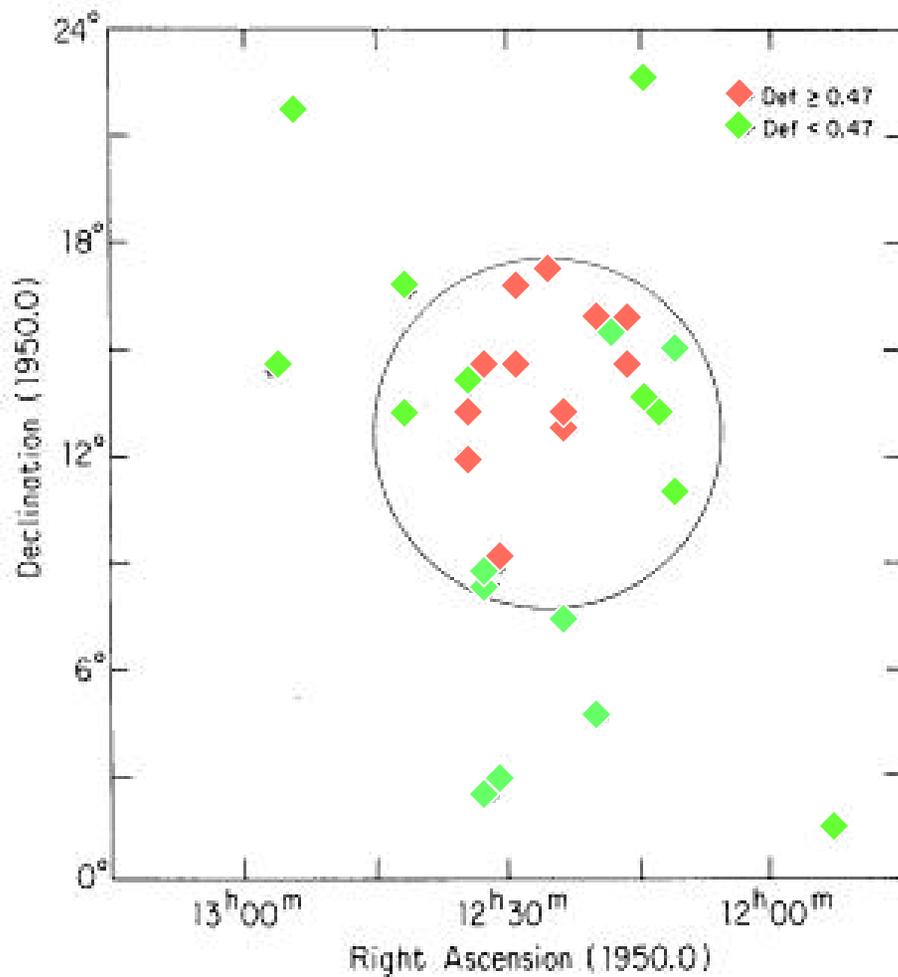
- a. Galactic winds
- b. Star formation without replenishment

II. Environment dependent

- a. Galaxy-galaxy interactions
 - i. Direct collisions
 - ii. Tidal encounters
 - iii. Mergers
 - iv. Harassment
- b. Galaxy-cluster medium
 - i. Ram pressure stripping
 - ii. Thermal evaporation
 - iii. Turbulent viscous stripping

Virgo Cluster

HI Deficiency

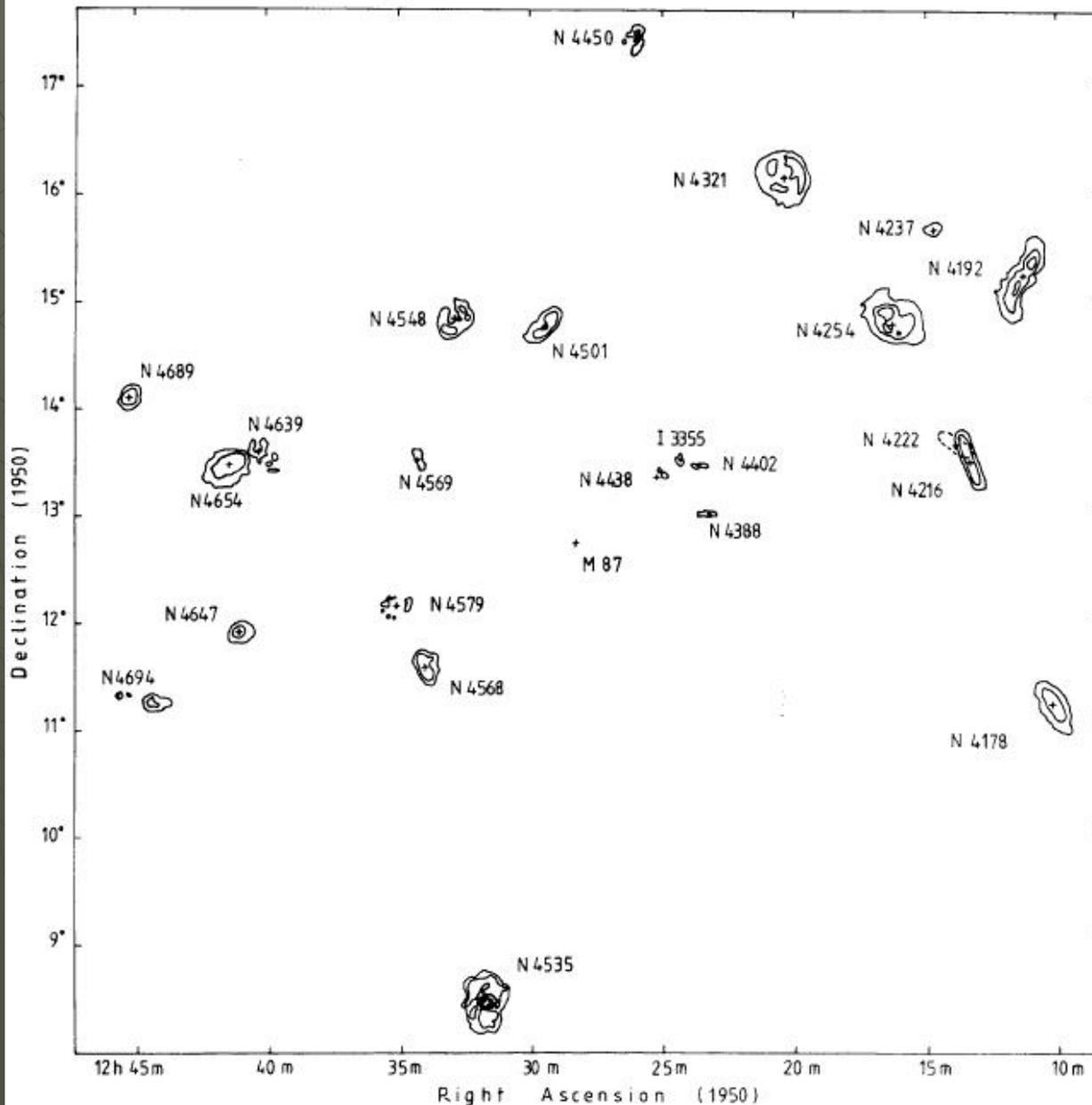


Arecibo data

HI Disk Diameter

[Giovanelli & Haynes 1983]

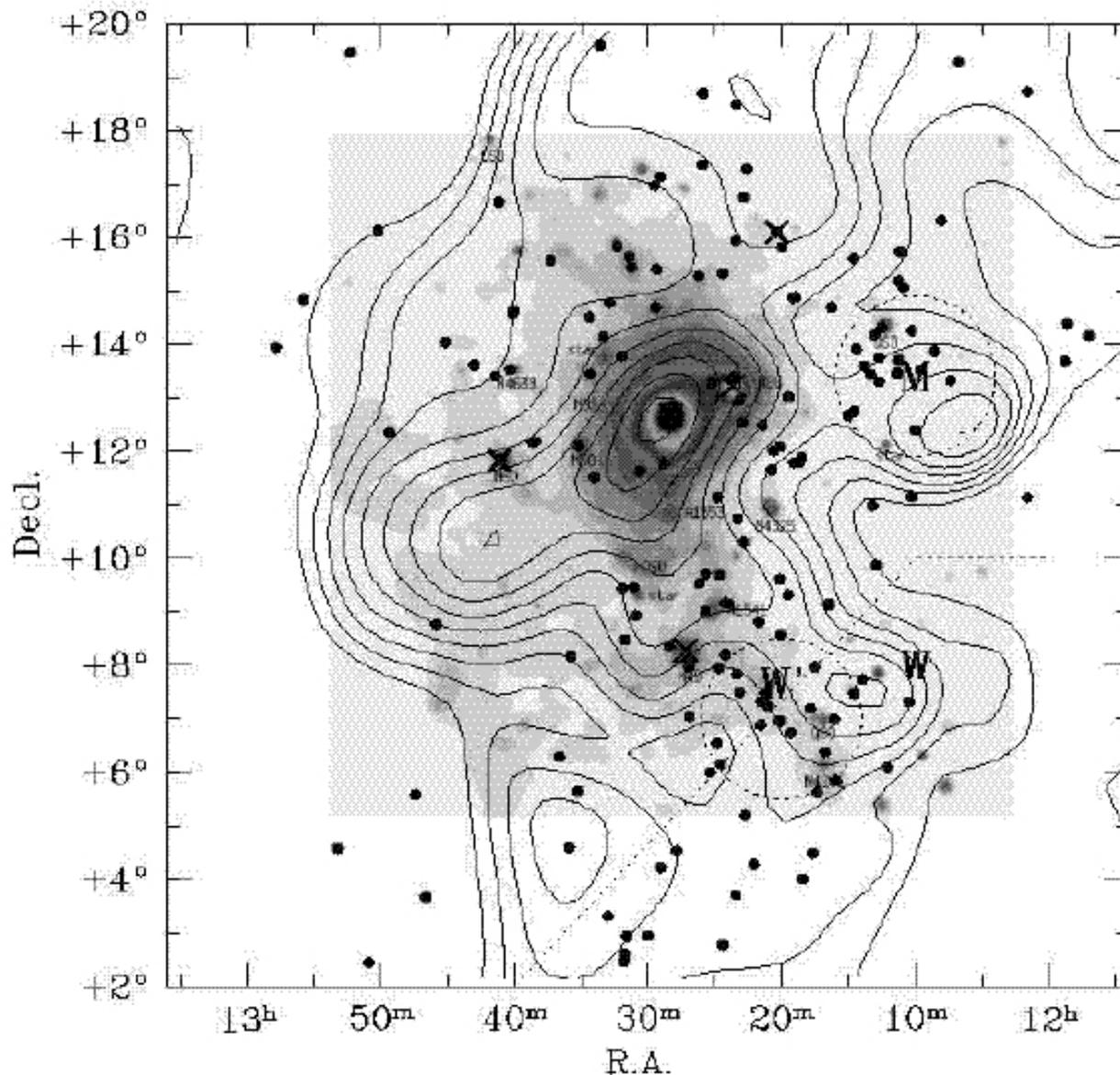
Virgo Cluster



VLA data

[Cayatte, van Gorkom, Balkowski & Kotanyi 1990]

VIRGO Cluster

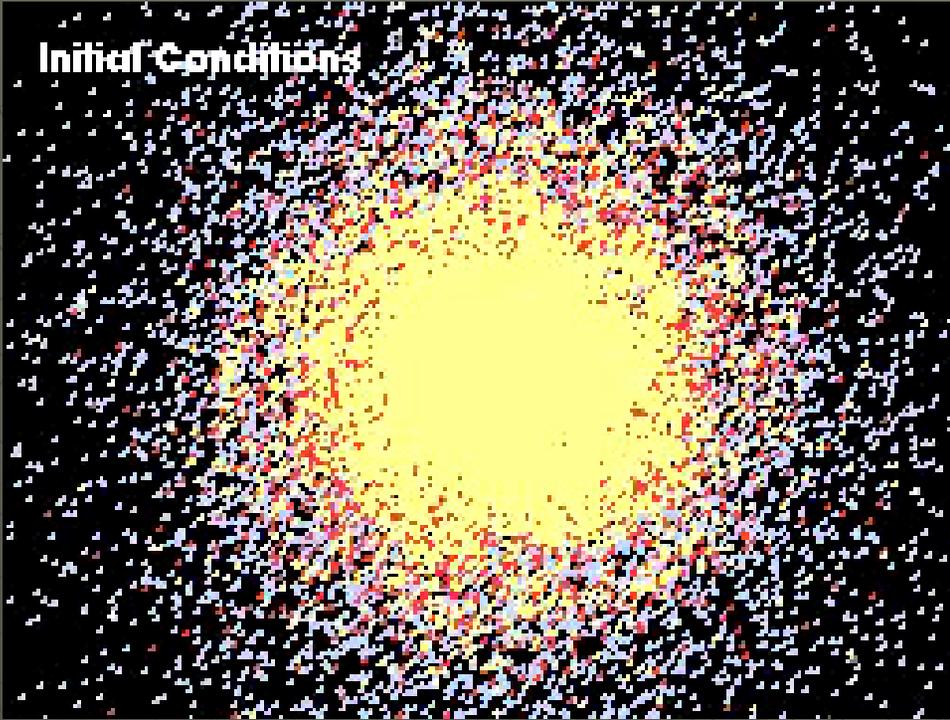


Dots: galaxies w/
measured HI

Contours: HI deficiency

Grey map: ROSAT
0.4-2.4 keV

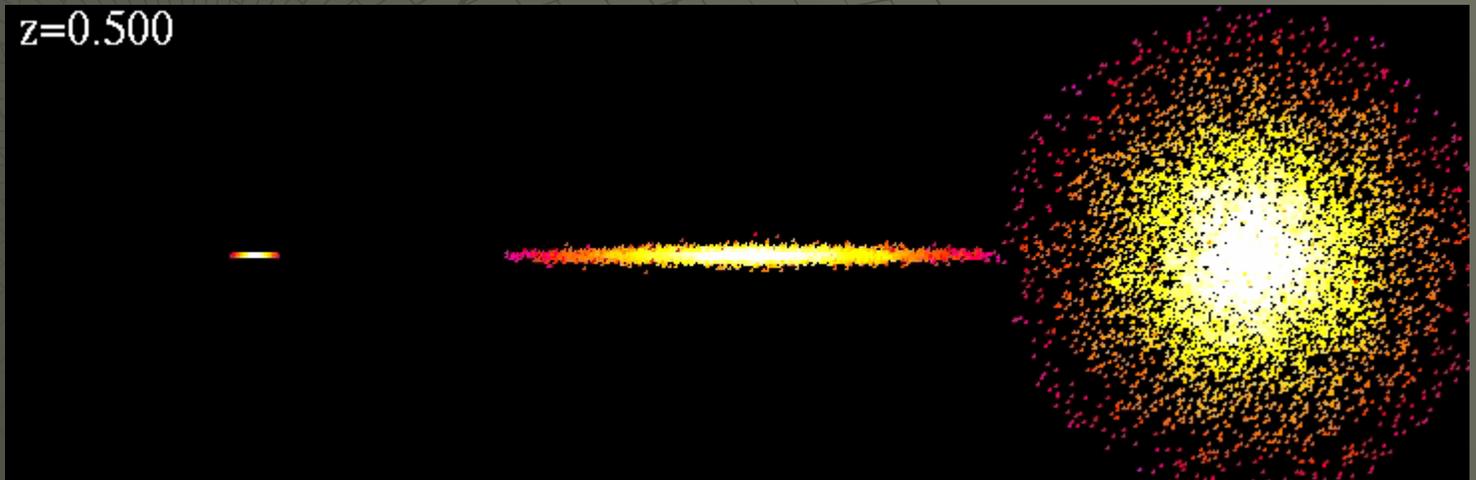
Initial Conditions

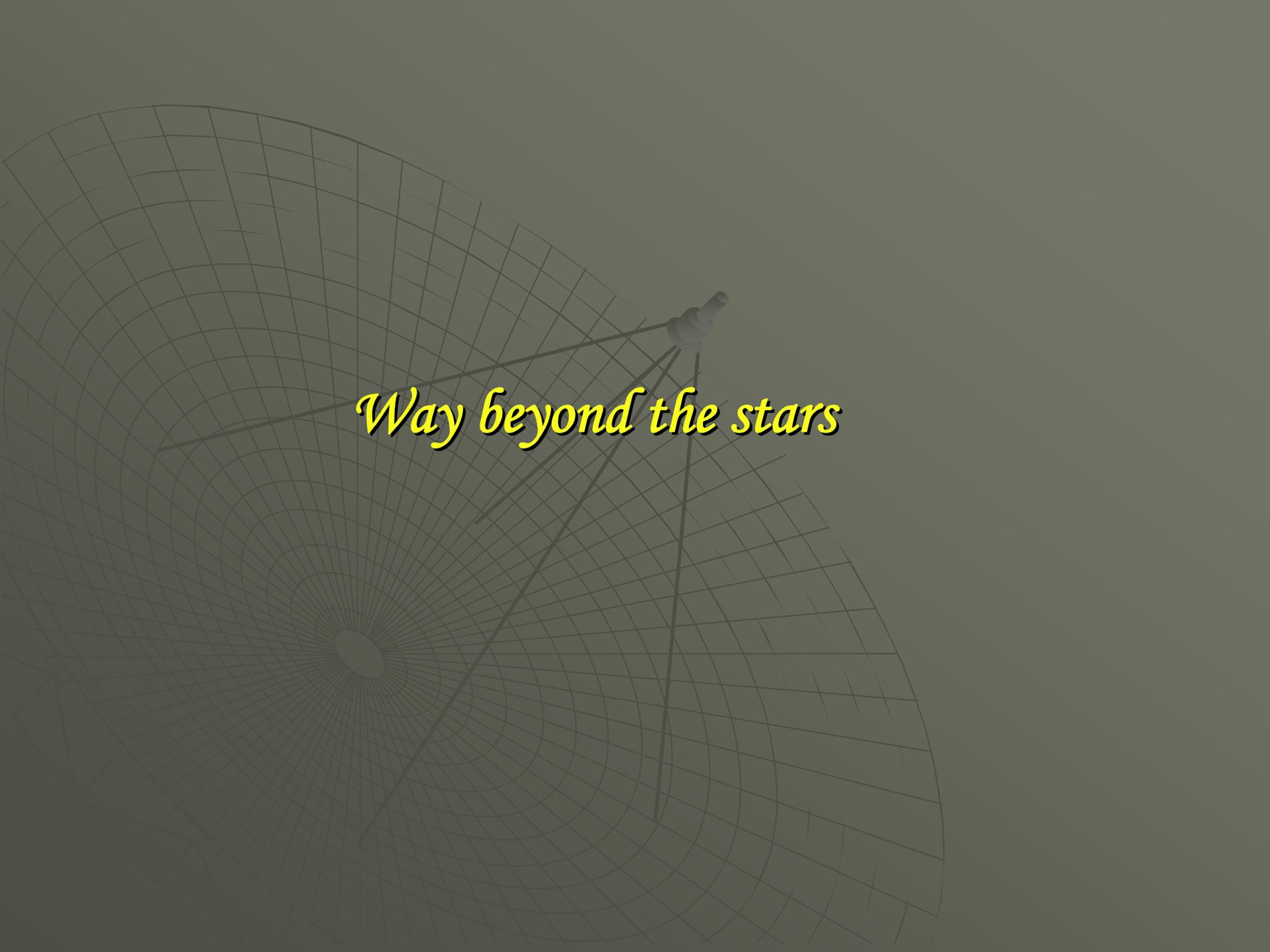


Galaxy "harassment"
within a cluster
environment

Credit: Lake et al.

Credit:
Moore et al.



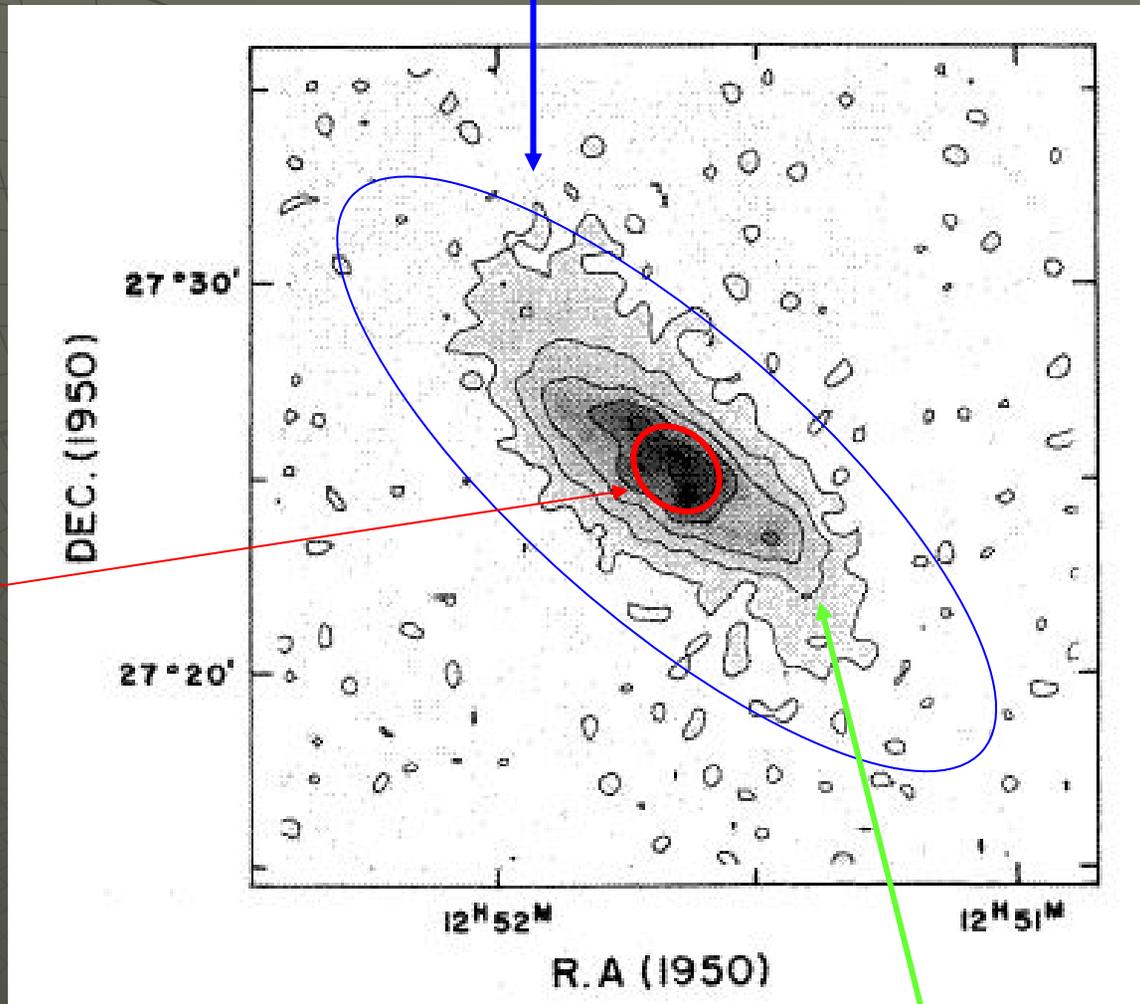


Way beyond the stars

DDO 154

Arecibo map outer extent [Hoffman et al. 1993]

Extent of
optical
image



Carignan & Beaulieu 1989

VLA D-array HI column density contours

Carignan &
Beaulieu 1989

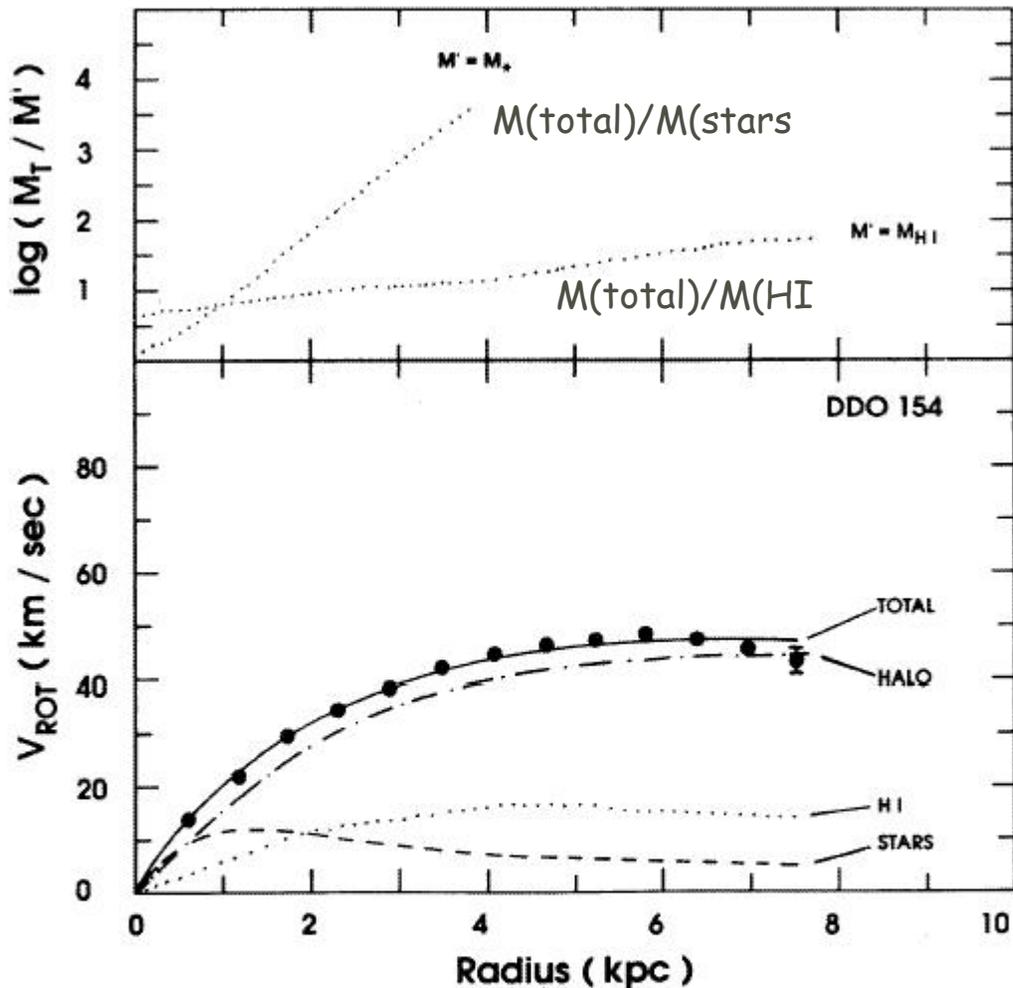
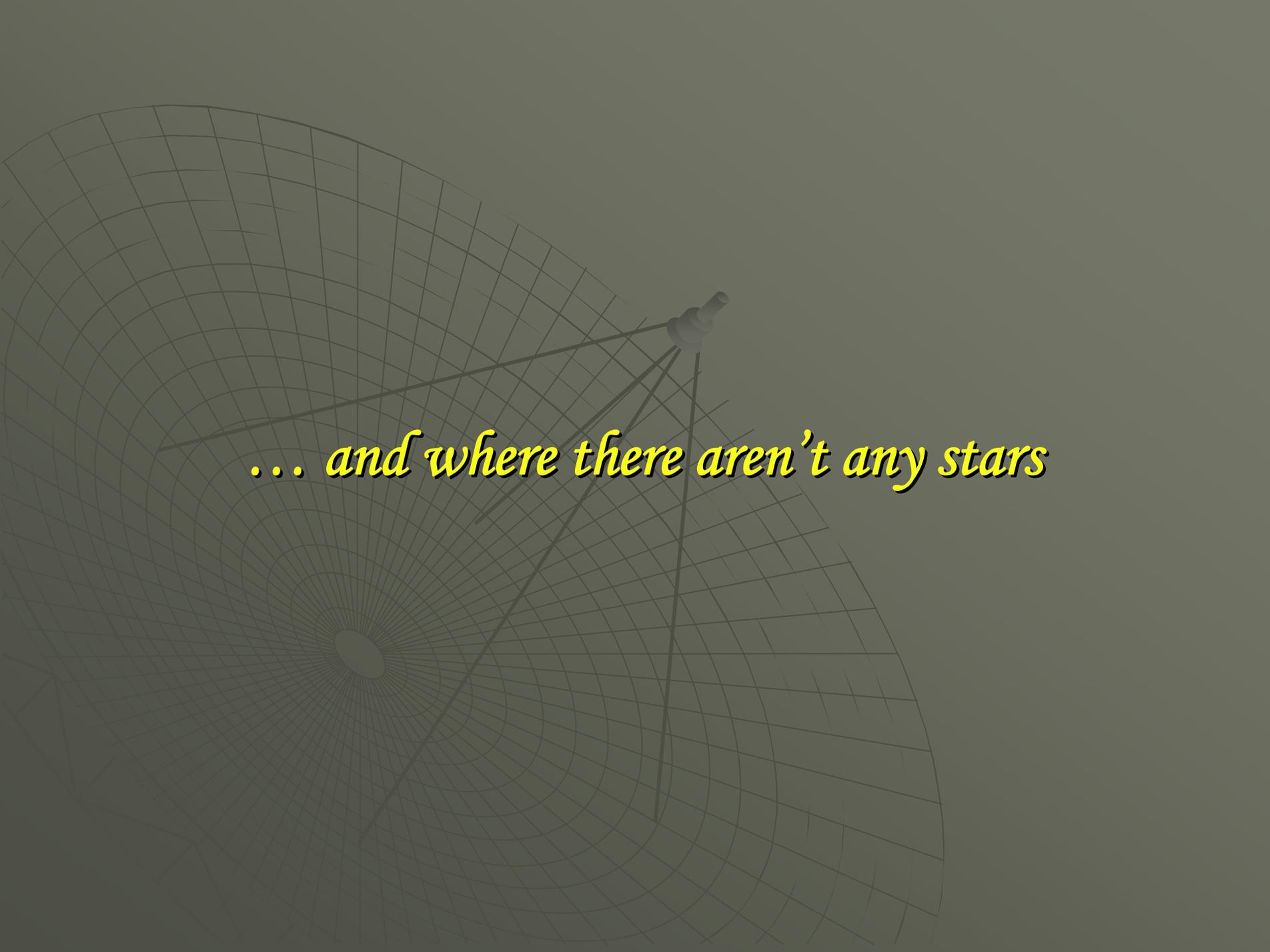


FIG. 14.—(a) Ratio of the local total (luminous and dark) mass to the stellar mass M_* and to the H I mass M_{HI} . (b) Complete mass model for DDO 154 using the rotation curve of Table 5. When not indicated, the errors are smaller than the size of the symbols. The contribution of the H I component was calculated using the surface densities of Fig. 9. The total H I mass is $2.7 \times 10^8 M_\odot$. The stellar disk has $(M/L_B)_* = 1.0$, giving a total mass of $5.0 \times 10^7 M_\odot$. The halo parameters are $r_c = 3.0$ kpc and $\rho_0 = 0.015 M_\odot \text{pc}^{-3}$. The total mass (dark and luminous) at the last observed velocity point (7.6 kpc) is $3.8 \times 10^9 M_\odot$.



... and where there aren't any stars

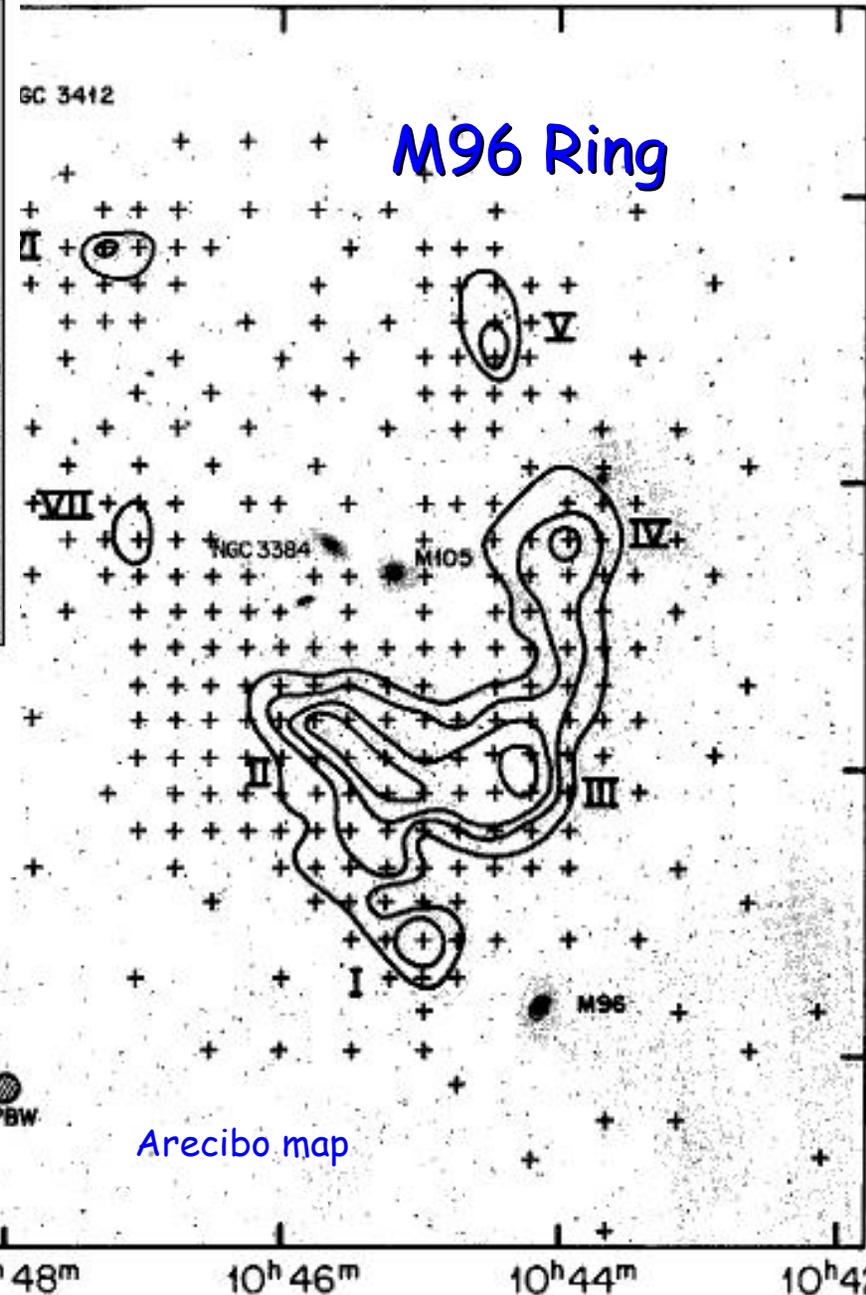
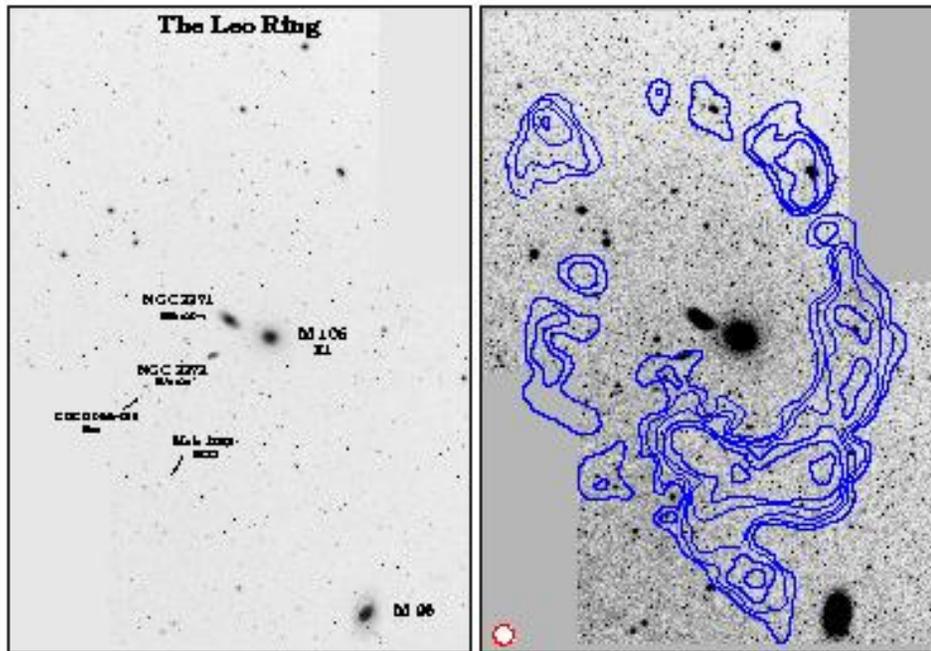


Figure 1. The Leo Ring System.

H I: Arecibo single dish map, 3.3' resolution, contours= $2 \times 10^{16} \text{ cm}^{-2} \times 2^n$.

Optical: DSS, FOV= $70' \times 100'$.

Notes: Labeled galaxies have redshifts similar to the H I ring.

Reference: Schnepker, S.E., Skrutskie, M.F., Hacking, P.B., Young, J.S., Drkman, R.L., Clausen, M.J., Salpeter, E.E., Howck, J.R., Terzian, Y., Lewis, B.M., & Shure, M. A. 1989, AJ, 97, 666.

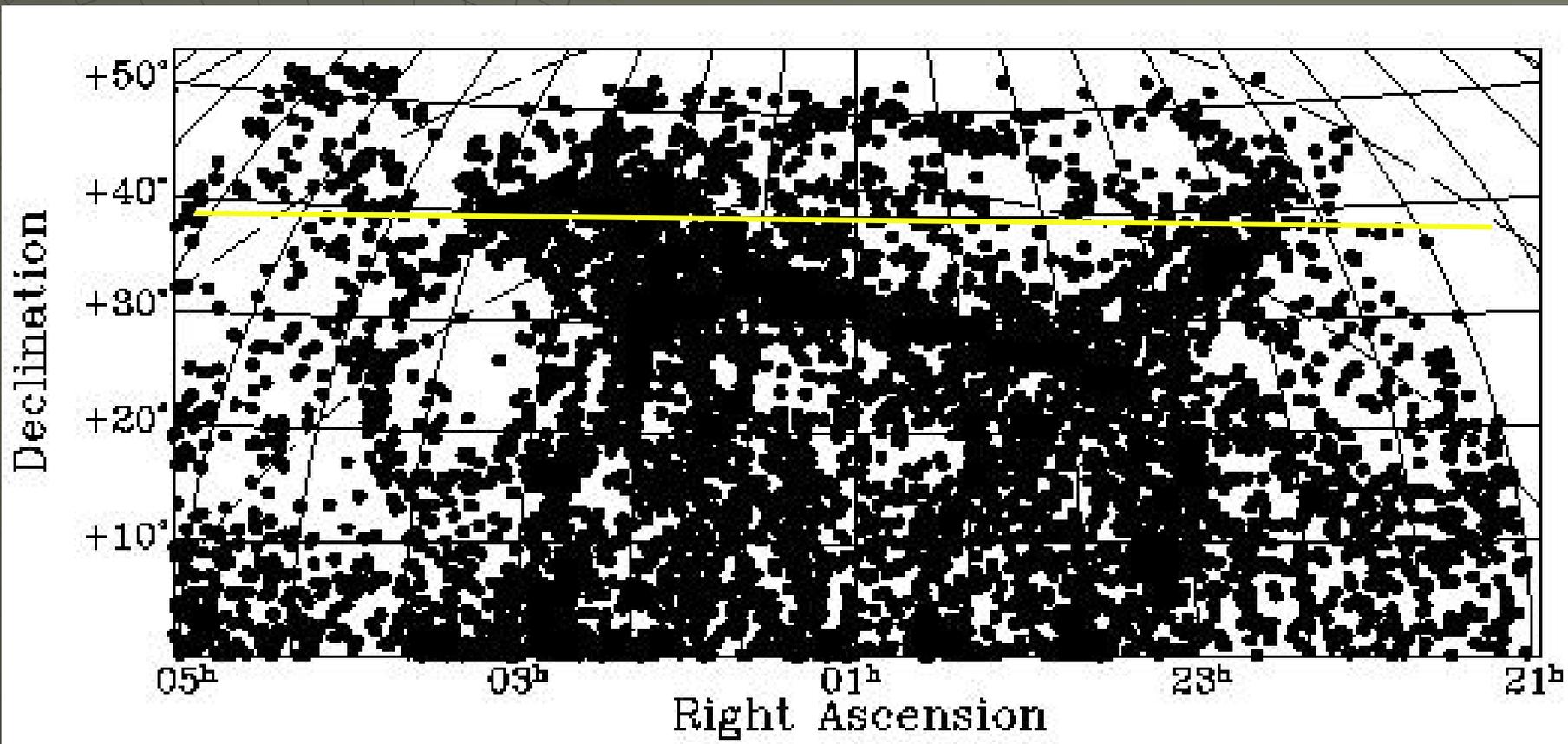
Schneider et al 1989 VLA map

Schneider, Helou, Salpeter & Terzian 1983



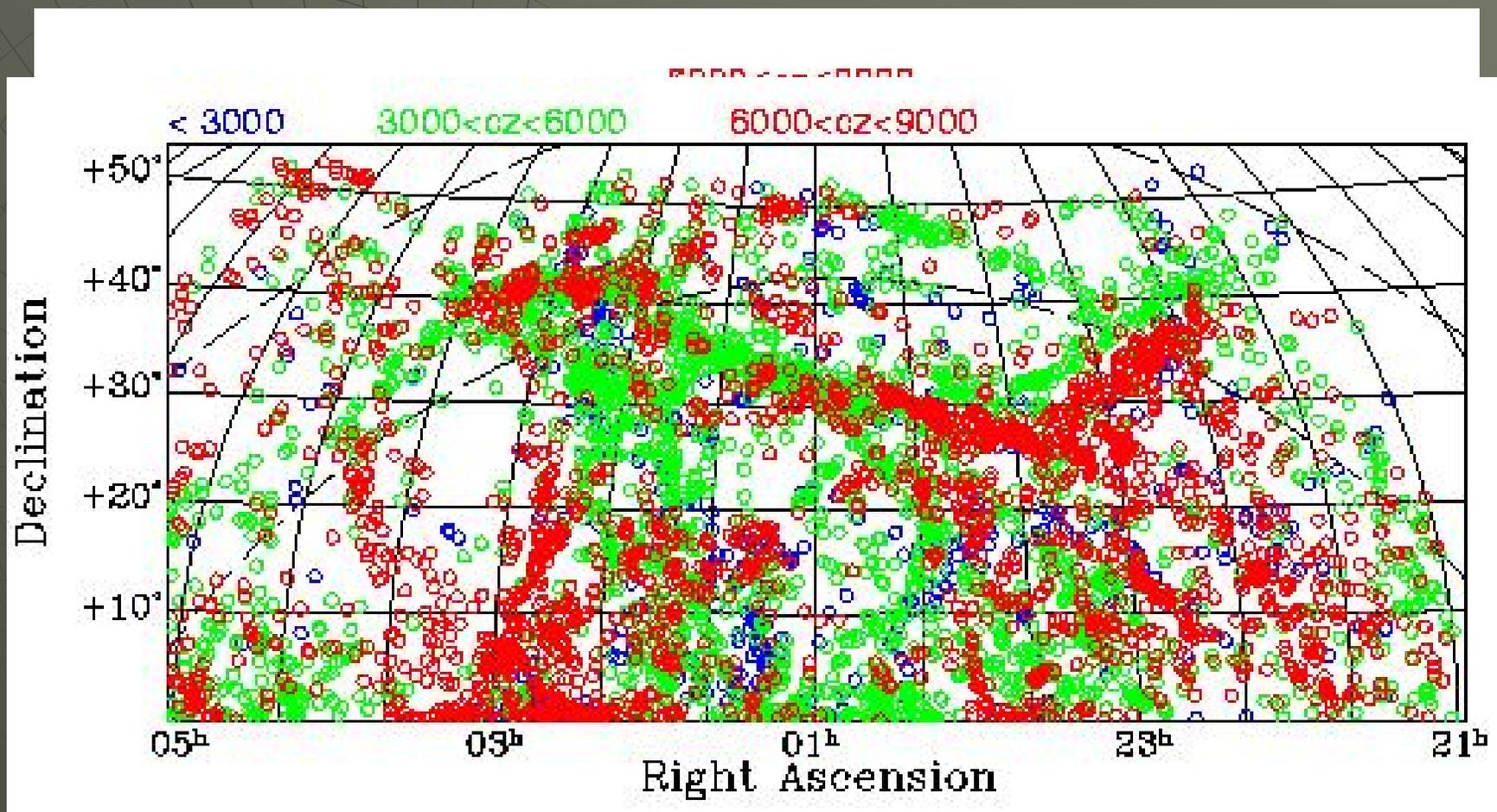
... and then some Cosmology

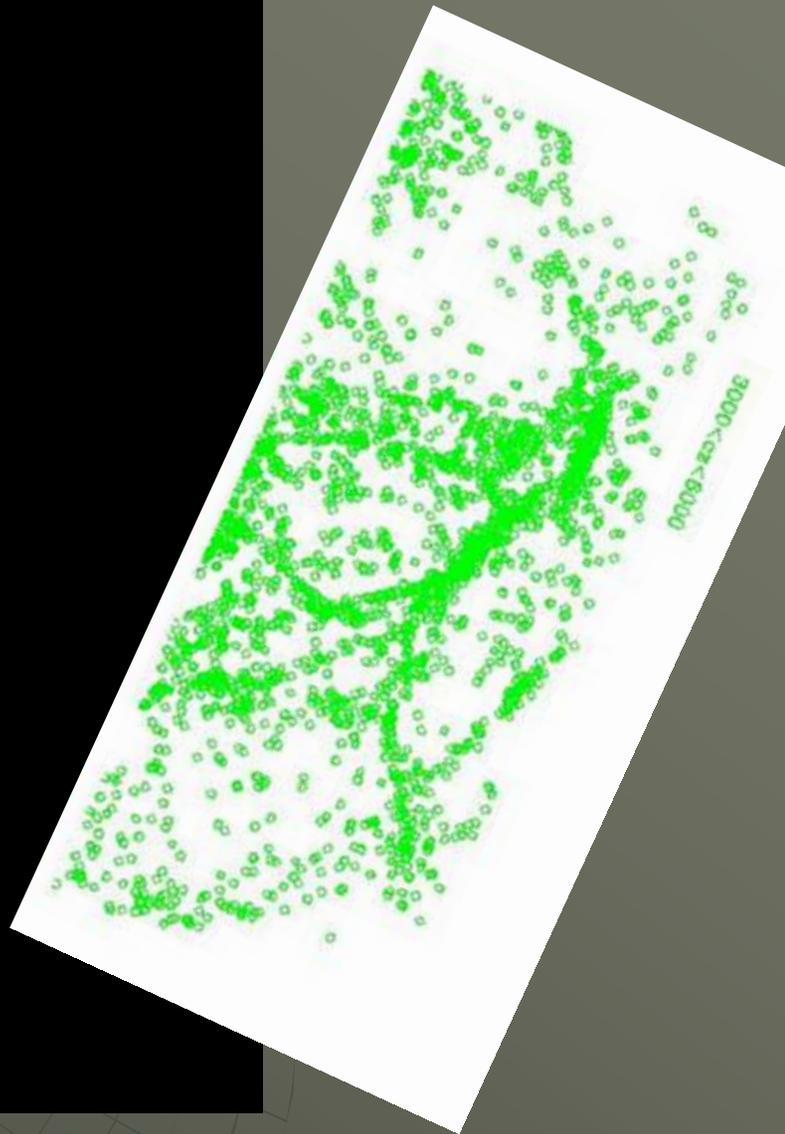
Perseus-Pisces Supercluster



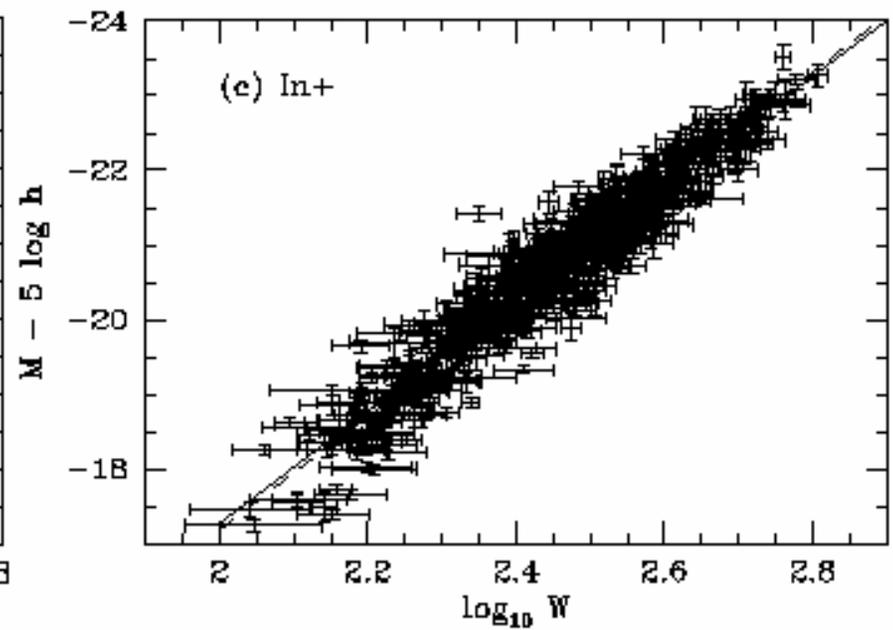
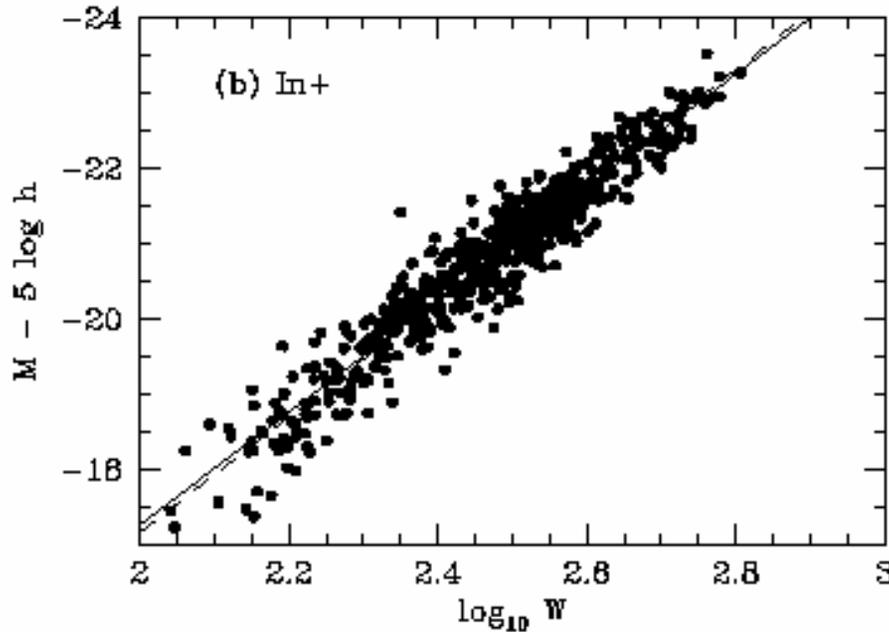
~11,000 galaxy redshifts: [Arecibo as a redshift machine](#)

Perseus-Pisces Supercluster





TF Relation Template



SCI : cluster Sc sample

I band, 24 clusters, 782 galaxies

Giovanelli et al. 1997

“Direct” slope is -7.6

“Inverse” slope is -7.8

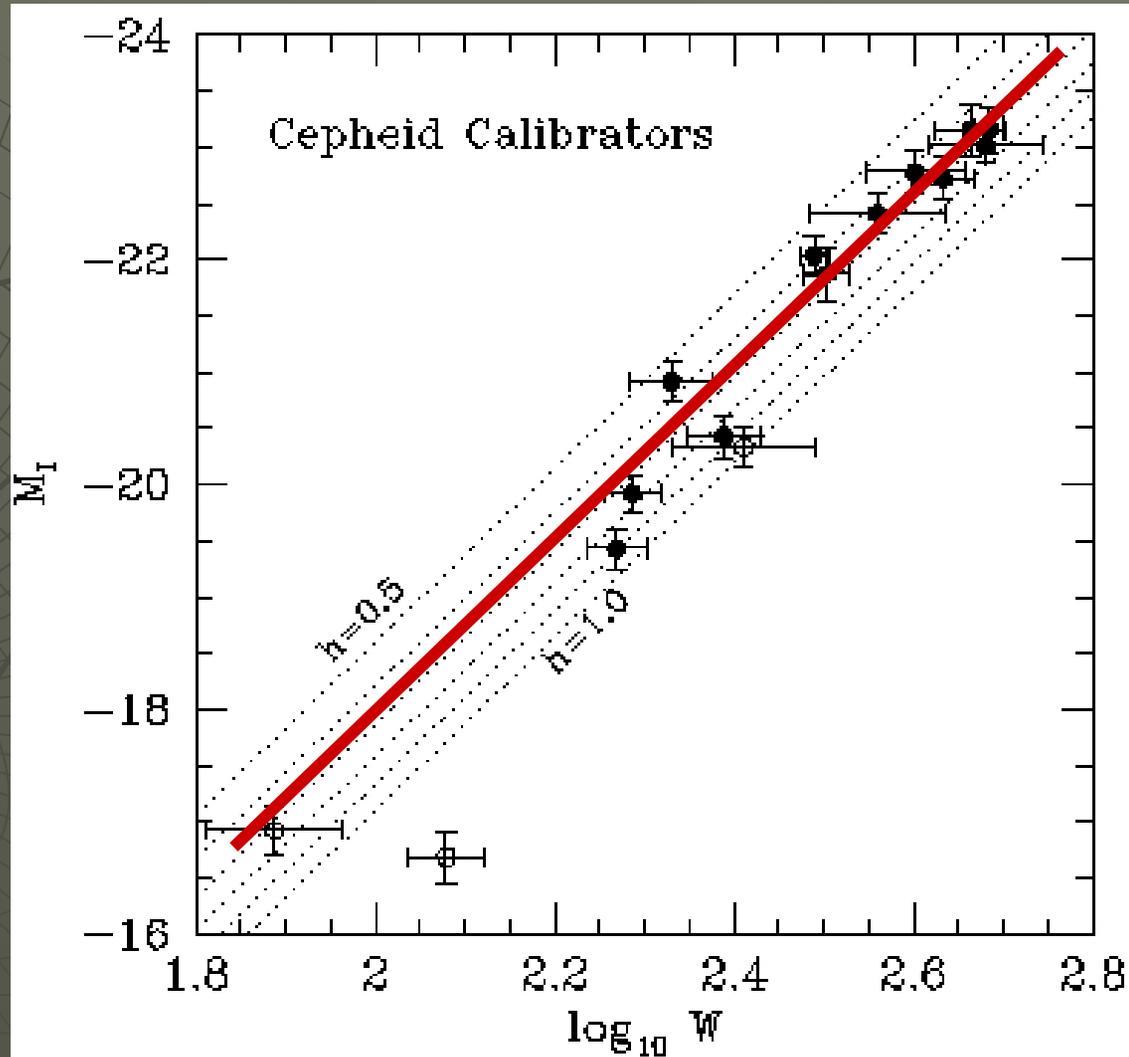
Measuring the Hubble Constant

A TF template relation is derived independently on the value of H_{not} . It can be derived for, or averaged over, a large number of galaxies, regions or environments.

When calibrators are included, the Hubble constant can be gauged over the volume sampled by the template.

From a selected sample of Cepheid Calibrators, [Giovanelli et al. \(1997\)](#) obtained

$H_{\text{not}} = 69 \pm 6 \text{ (km/s)/Mpc}$
averaged over a volume of
 $cz = 9500 \text{ km/s}$ radius.



TF and the Peculiar Velocity Field

- ◆ Given a TF template relation, the peculiar velocity of a galaxy can be derived from its offset Δm from that template, via

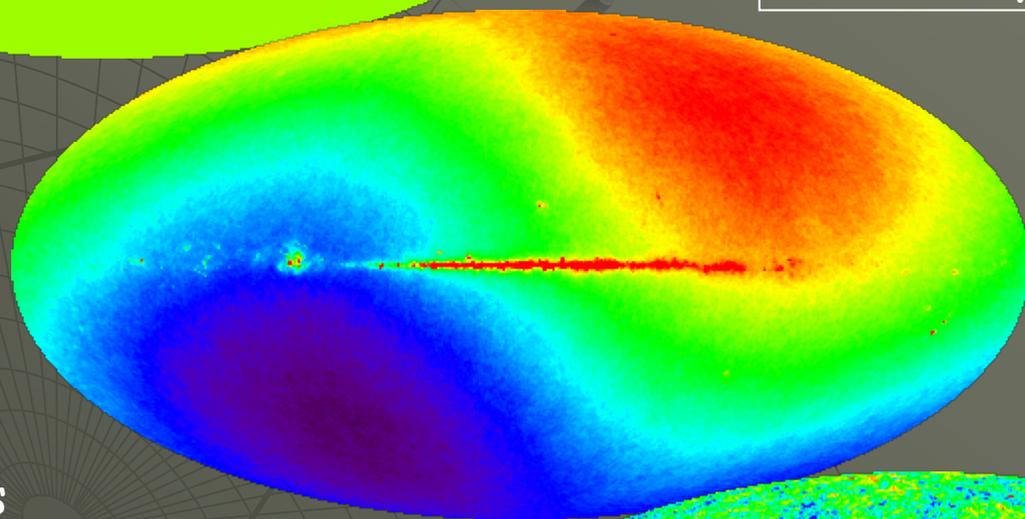
$$V_{pec} = cz(1 - 10^{0.2\Delta m})$$

- ◆ For a TF scatter of 0.35 mag, the error on the peculiar velocity of a single galaxy is typically $\sim 0.16cz$
- ◆ For clusters, the error can be reduced by a factor \sqrt{N} , if N galaxies per cluster are observed



CMB Dipole

$\Delta T = 3.358 \text{ mK}$

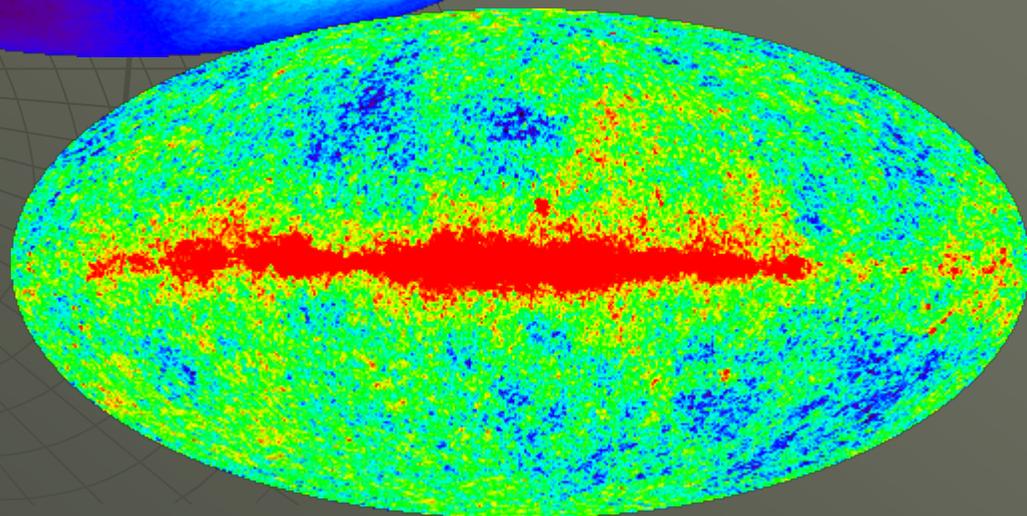


$V_{\text{sun w.r.t CMB}}$:

369 km/s towards
 $l=264^\circ$, $b=+48^\circ$

Motion of the Local Group:

$V = 627 \text{ km/s}$ towards
 $l = 276^\circ$ $b = +30^\circ$



Convergence Depth

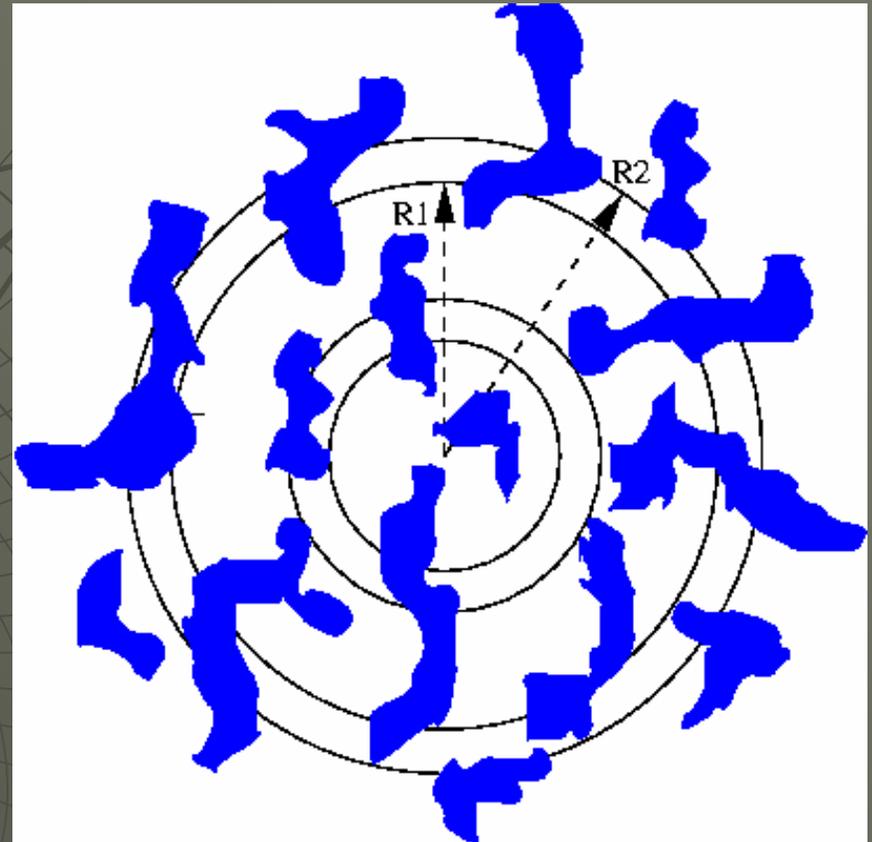
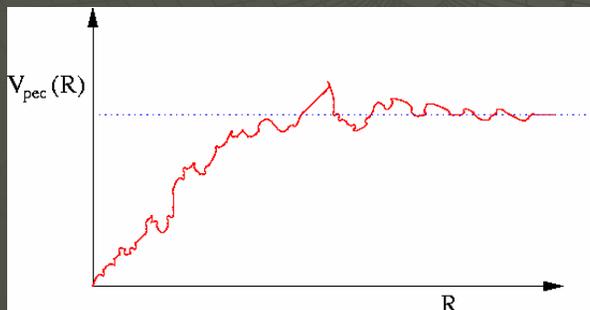
Given a field of density fluctuations $d(r)$, an observer at $r=0$ will have a peculiar velocity:

$$V_{pec} = \frac{H_o \Omega^{0.6}}{4\pi} \int \delta(\vec{r}) \frac{\vec{r}}{r^3} d\vec{r}^3$$

where W is W_{mass}

The contribution to \vec{V}_{pec} by fluctuations in the shell (R_1, R_2) , asymptotically tends to zero as $R \rightarrow \infty$

The cumulative \vec{V}_{pec} by all fluctuations Within R thus exhibits the behavior :



If the observer is the LG, the asymptotic \vec{V}_{pec} matches the CMB dipole

The Dipole of the Peculiar Velocity Field

The reflex motion of the LG, w.r.t. field galaxies in shells of progressively increasing radius, shows : convergence with the CMB dipole, both in amplitude and direction, near $cz \sim 5000$ km/s.

